



# Projection of Points and Lines

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# ORTHOGRAPHIC PROJECTIONS OF POINTS, LINES, PLANES, AND SOLIDS.



**TO DRAW PROJECTIONS OF ANY OBJECT,  
ONE MUST HAVE FOLLOWING INFORMATION**

**A) OBJECT**

{ WITH IT'S DESCRIPTION, WELL DEFINED. }

**B) OBSERVER**

{ ALWAYS OBSERVING PERPENDICULAR TO RESP. REF.PLANE}.

**C) LOCATION OF OBJECT,**

{ MEANS IT'S POSITION WITH REFERENCE TO H.P. & V.P. }

TERMS '**ABOVE**' & '**BELOW**' WITH RESPECTIVE TO H.P.  
AND TERMS '**INFRONT**' & '**BEHIND**' WITH RESPECTIVE TO V.P  
FORM 4 QUADRANTS.

OBJECTS CAN BE PLACED IN ANY ONE OF THESE 4 QUADRANTS.

IT IS INTERESTING TO LEARN THE EFFECT ON THE POSITIONS OF VIEWS ( FV, TV )  
OF THE OBJECT WITH RESP. TO X-Y LINE, WHEN PLACED IN DIFFERENT QUADRANTS.

STUDY ILLUSTRATIONS GIVEN ON NEXT PAGES AND NOTE THE RESULTS. TO MAKE IT EASY  
HERE A POINT **A** IS TAKEN AS AN OBJECT. BECAUSE IT'S ALL VIEWS ARE JUST POINTS.

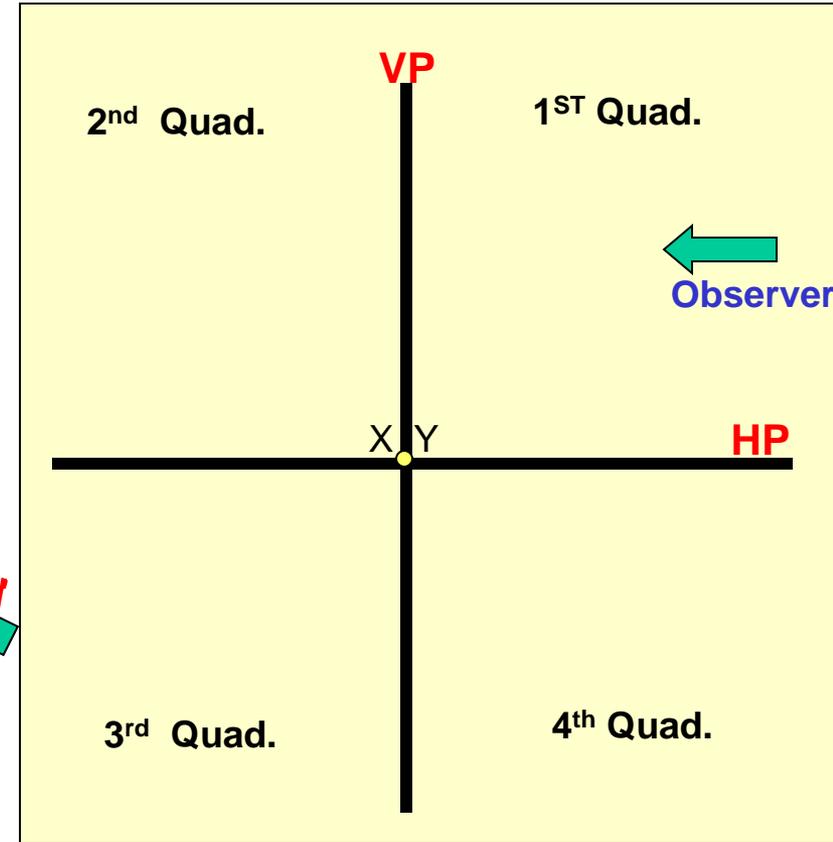
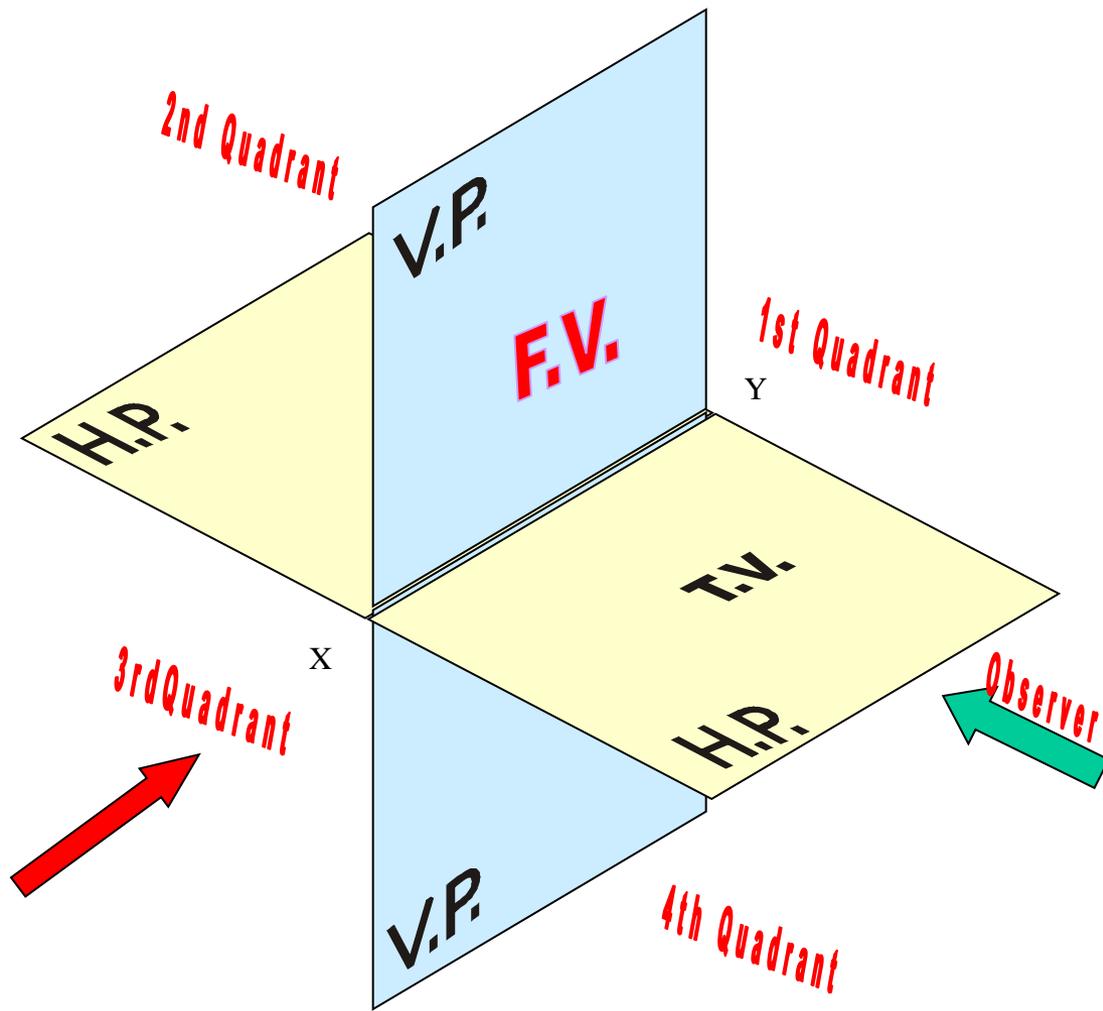


## NOTATIONS

**FOLLOWING NOTATIONS SHOULD BE FOLLOWED WHILE NAMEING DIFFERENT VIEWS IN ORTHOGRAPHIC PROJECTIONS.**

OBJECT	POINT A	LINE AB
<b>IT'S TOP VIEW</b>	a	a b
<b>IT'S FRONT VIEW</b>	a'	a' b'
<b>IT'S SIDE VIEW</b>	a''	a'' b''

***SAME SYSTEM OF NOTATIONS SHOULD BE FOLLOWED INCASE NUMBERS, LIKE 1, 2, 3 – ARE USED.***



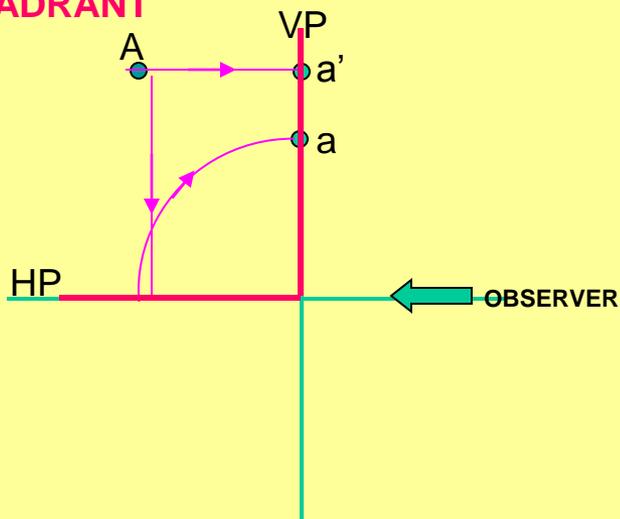
THIS QUADRANT PATTERN,  
IF OBSERVED ALONG X-Y LINE ( IN RED ARROW DIRECTION )  
WILL EXACTLY APPEAR AS SHOWN ON RIGHT SIDE AND HENCE,  
IT IS FURTHER USED TO UNDERSTAND ILLUSTRATION PROPERLLY.

Point A is Placed In different quadrants and it's Fv & Tv are brought in same plane for Observer to see clearly.

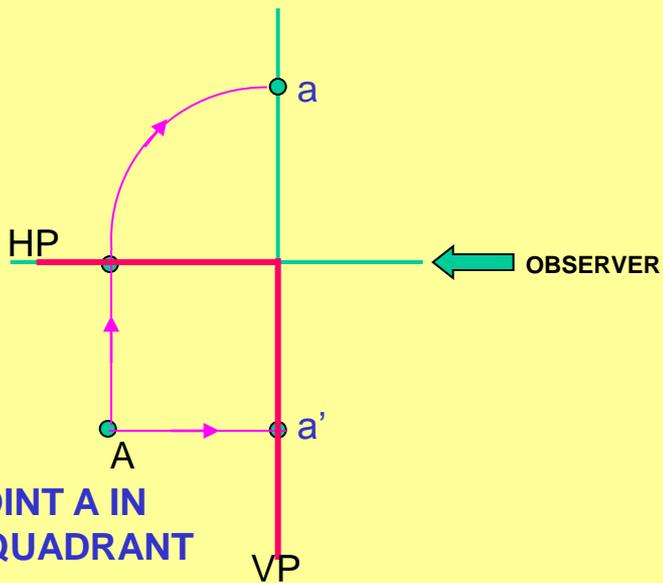
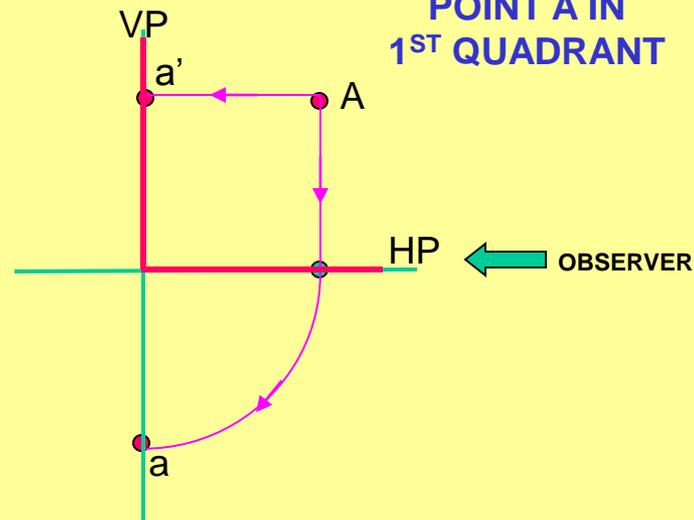
Fv is visible as it is a view on VP. But as Tv is a view on Hp, it is rotated downward  $90^\circ$ , In clockwise direction. The In front part of Hp comes below xy line and the part behind Vp comes above.

Observe and note the process.

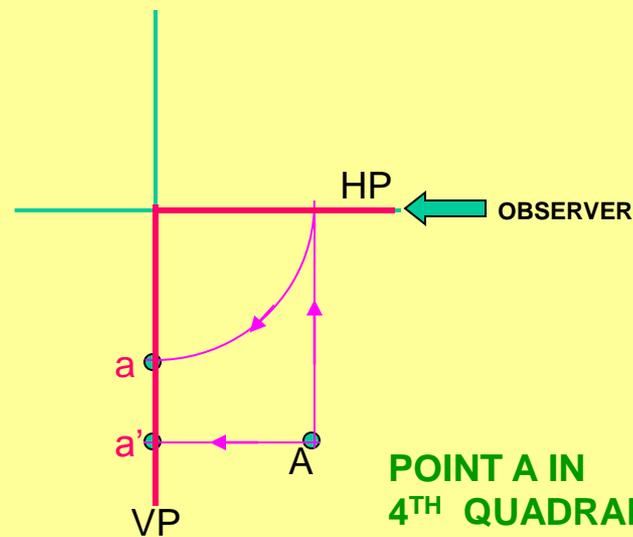
### POINT A IN 2<sup>ND</sup> QUADRANT



### POINT A IN 1<sup>ST</sup> QUADRANT



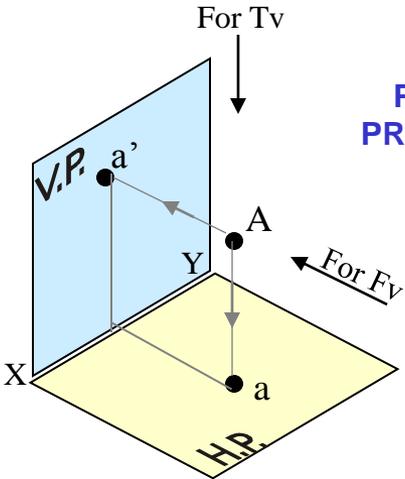
### POINT A IN 3<sup>RD</sup> QUADRANT



### POINT A IN 4<sup>TH</sup> QUADRANT

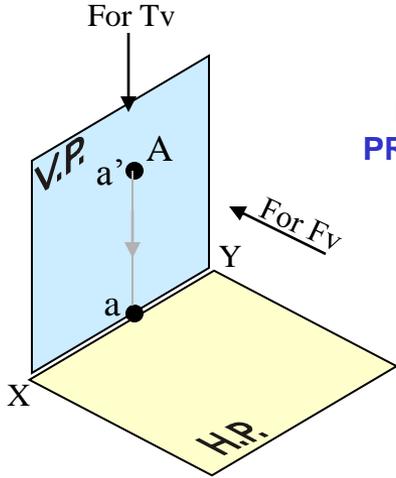
# PROJECTIONS OF A POINT IN FIRST QUADRANT.

**POINT A ABOVE HP & IN FRONT OF VP**



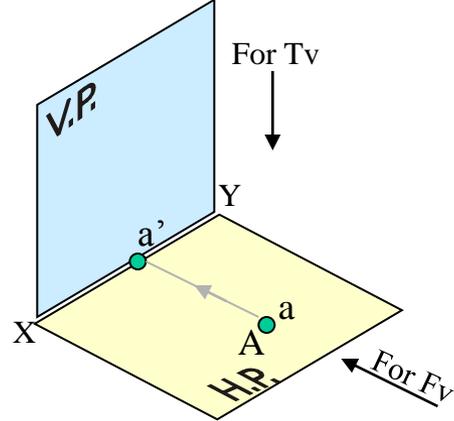
PICTORIAL PRESENTATION

**POINT A ABOVE HP & IN VP**



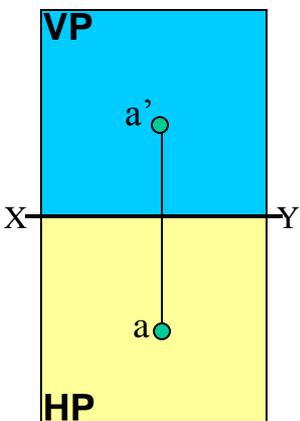
PICTORIAL PRESENTATION

**POINT A IN HP & IN FRONT OF VP**

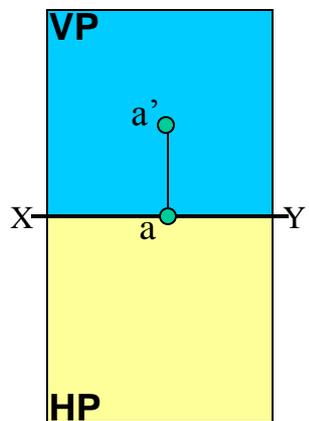


**ORTHOGRAPHIC PRESENTATIONS OF ALL ABOVE CASES.**

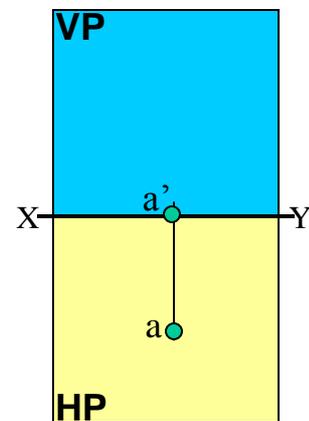
*Fv above xy,  
Tv below xy.*



*Fv above xy,  
Tv on xy.*



*Fv on xy,  
Tv below xy.*



# PROJECTIONS OF STRAIGHT LINES.

INFORMATION REGARDING A LINE *means*  
IT'S LENGTH,  
POSITION OF IT'S ENDS WITH HP & VP  
IT'S INCLINATIONS WITH HP & VP WILL BE GIVEN.  
AIM:- TO DRAW IT'S PROJECTIONS - MEANS FV & TV.

## SIMPLE CASES OF THE LINE

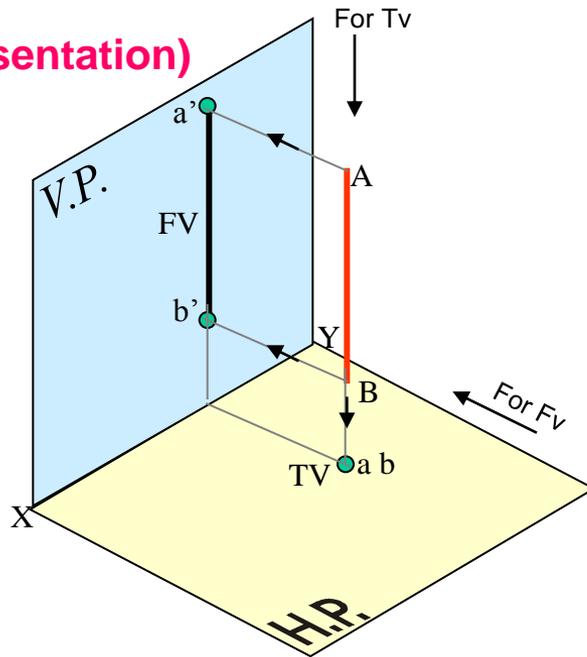
1. A VERTICAL LINE ( LINE PERPENDICULAR TO HP & // TO VP)
2. LINE PARALLEL TO BOTH HP & VP.
3. LINE INCLINED TO HP & PARALLEL TO VP.
4. LINE INCLINED TO VP & PARALLEL TO HP.
5. LINE INCLINED TO BOTH HP & VP.

**STUDY ILLUSTRATIONS GIVEN ON NEXT PAGE  
SHOWING CLEARLY THE NATURE OF FV & TV  
OF LINES LISTED ABOVE AND NOTE RESULTS.**

**(Pictorial Presentation)**

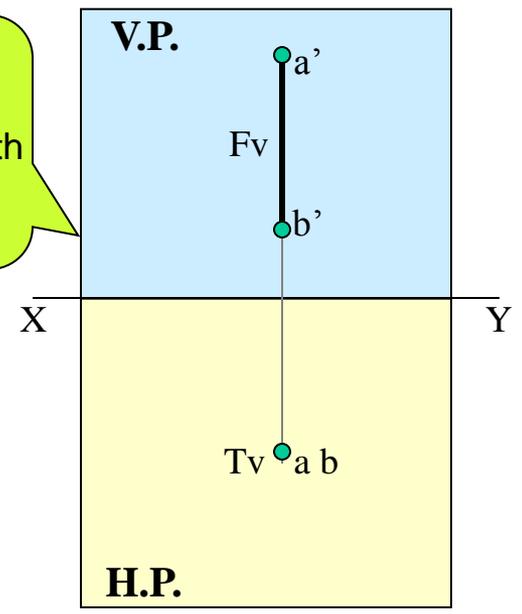
1.

A Line perpendicular to Hp & // to Vp



**Note:**  
Fv is a vertical line  
Showing True Length  
&  
Tv is a point.

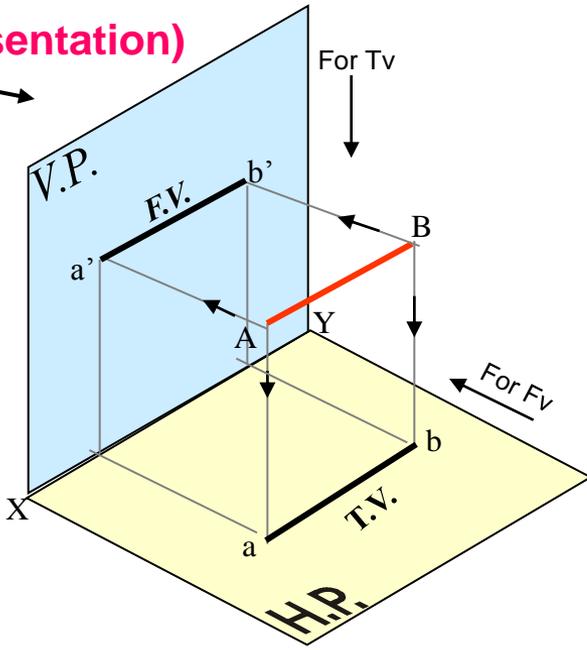
**Orthographic Pattern**



**(Pictorial Presentation)**

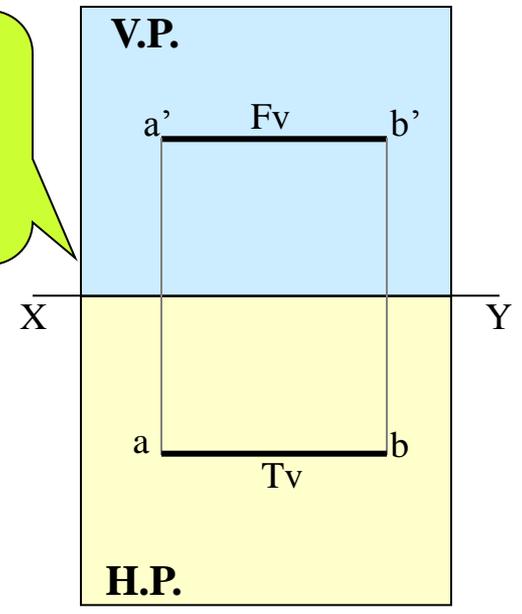
2.

A Line // to Hp & // to Vp



**Note:**  
Fv & Tv both are // to xy  
&  
both show T. L.

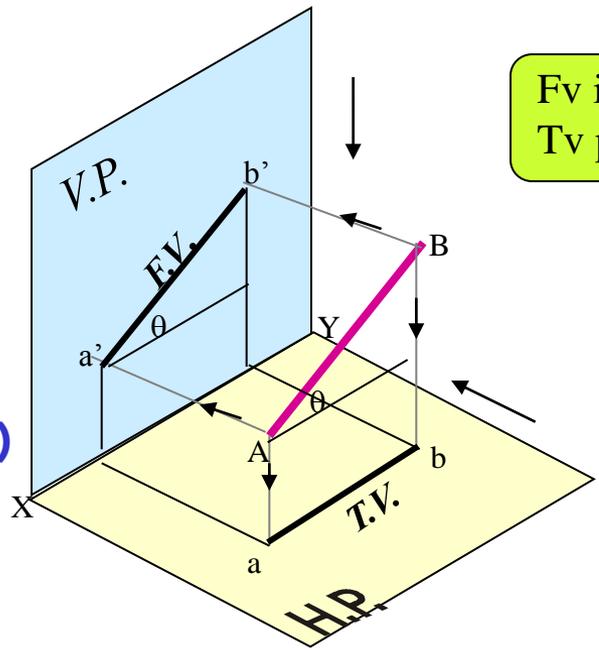
**Orthographic Pattern**



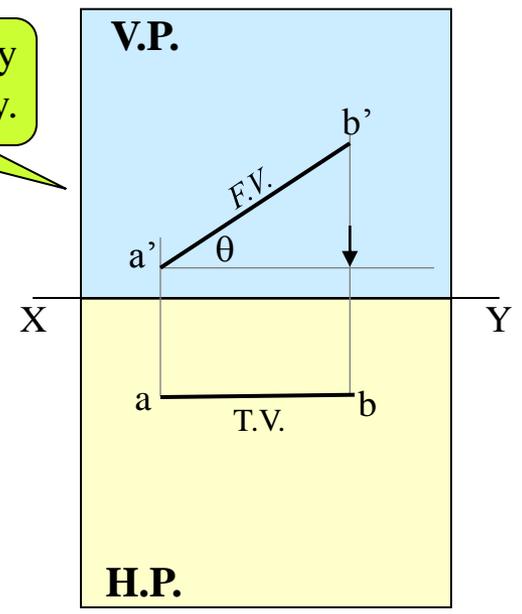
3.

A Line inclined to Hp and parallel to Vp

(Pictorial presentation)



Fv inclined to xy  
Tv parallel to xy.

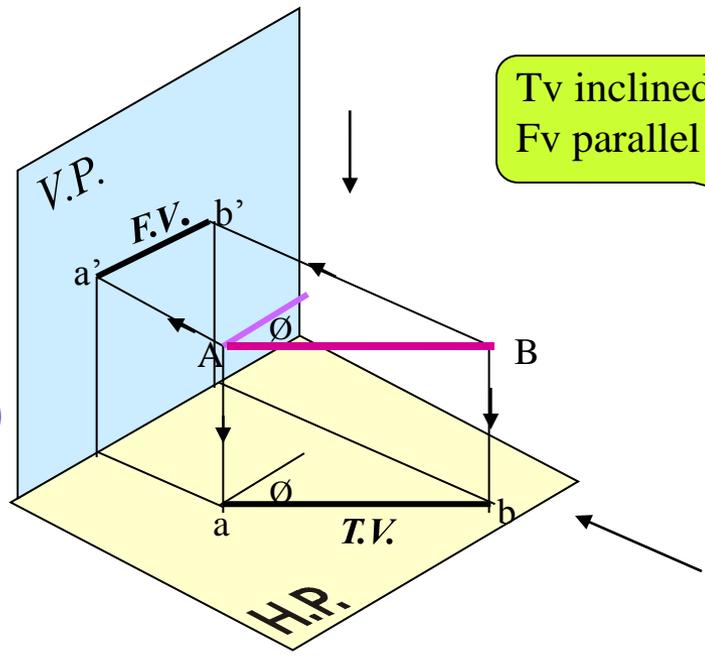


Orthographic Projections

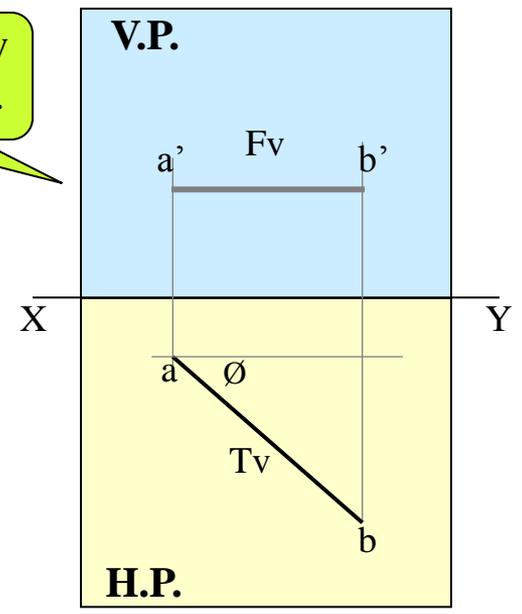
4.

A Line inclined to Vp and parallel to Hp

(Pictorial presentation)

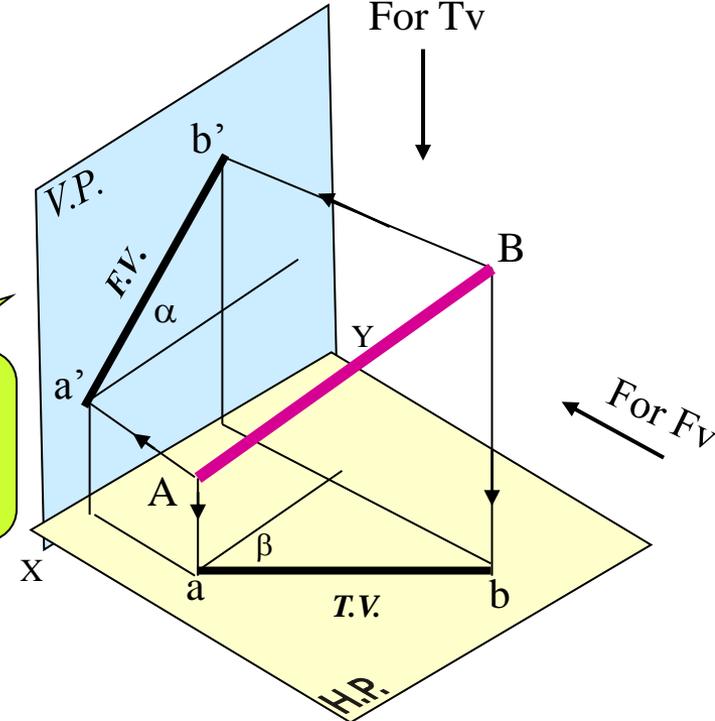
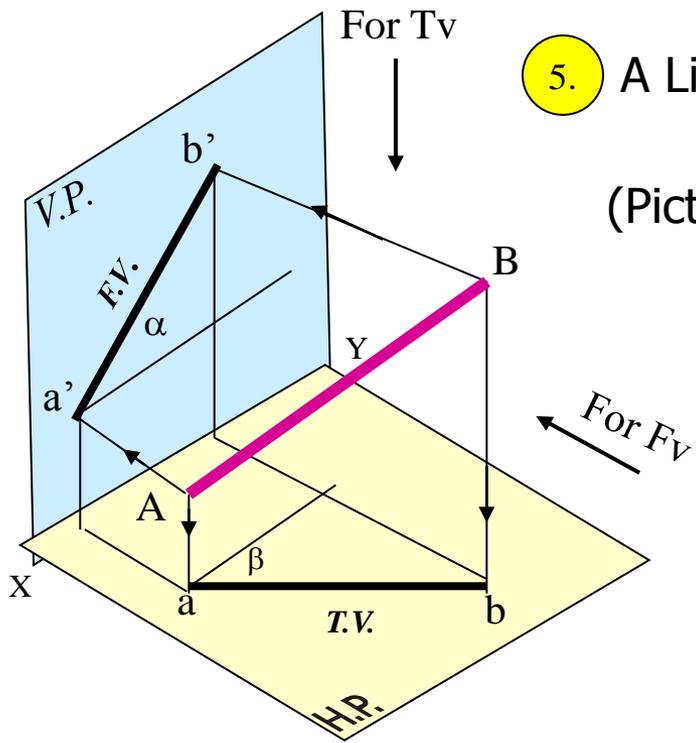


Tv inclined to xy  
Fv parallel to xy.

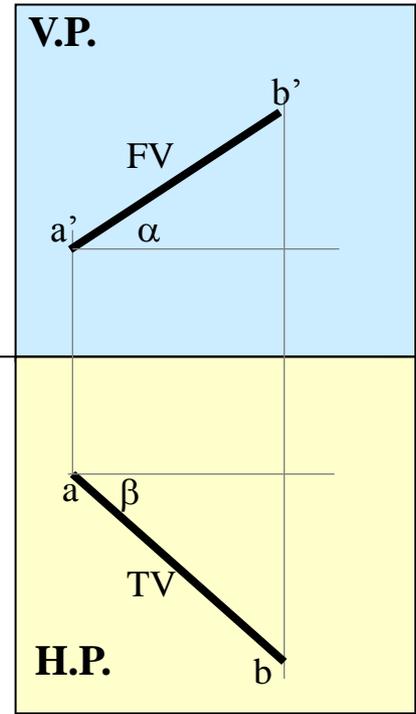


H.P.

5. A Line inclined to both Hp and Vp  
(Pictorial presentation)



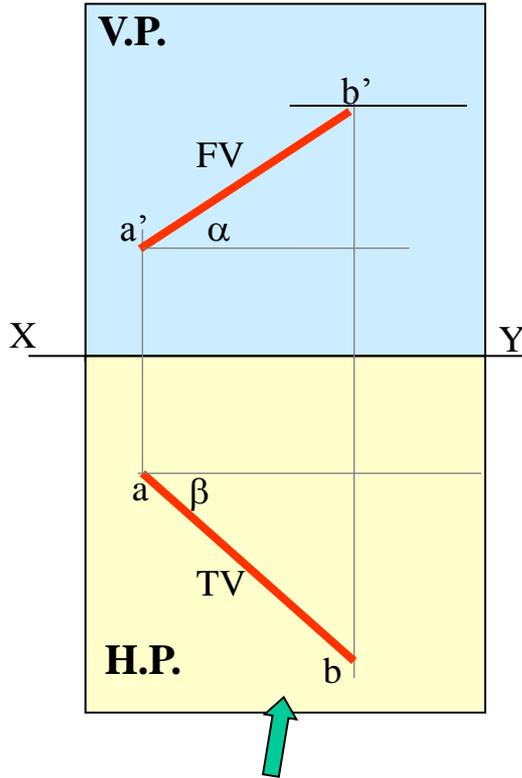
On removal of object  
i.e. Line AB  
Fv as a image on Vp.  
Tv as a image on Hp,



**Orthographic Projections**  
Fv is seen on Vp clearly.  
To see Tv clearly, Hp is rotated 90° downwards,  
Hence it comes below xy.

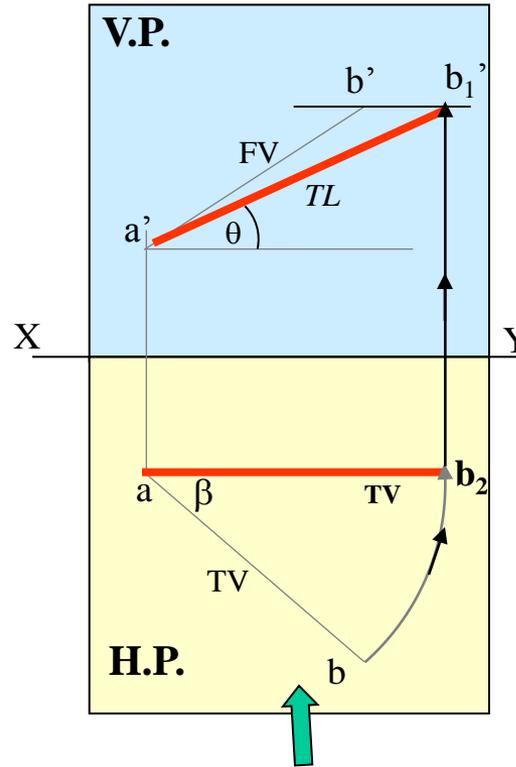
**Note These Facts:-**  
Both Fv & Tv are inclined to xy.  
(No view is parallel to xy)  
Both Fv & Tv are reduced lengths.  
(No view shows True Length)

**Orthographic Projections**  
 Means Fv & Tv of Line AB  
 are shown below,  
 with their apparent Inclinations  
 $\alpha$  &  $\beta$



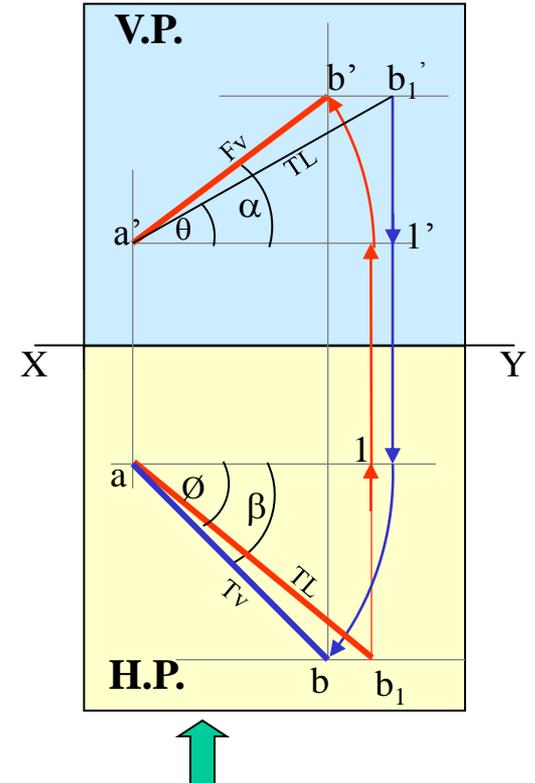
Here TV ( $ab$ ) is not // to XY line  
 Hence it's corresponding FV  
 $a' b'$  is **not** showing  
**True Length &**  
**True Inclination with Hp.**

**Note the procedure**  
 When Fv & Tv known,  
 How to find True Length.  
 (Views are rotated to determine  
 True Length & it's inclinations  
 with Hp & Vp).



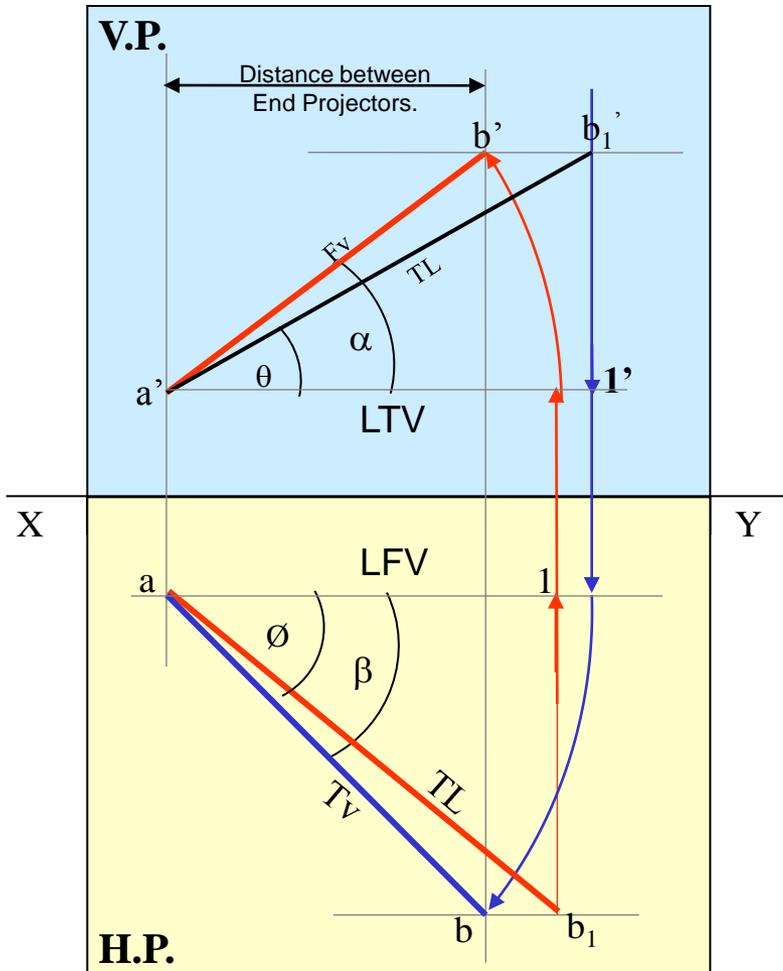
In this sketch, TV is rotated  
 and made // to XY line.  
 Hence it's corresponding  
 FV  $a' b_1'$  is showing  
**True Length**  
**&**  
**True Inclination with Hp.**

**Note the procedure**  
 When True Length is known,  
 How to locate Fv & Tv.  
 (Component **a-1** of TL is drawn  
 which is further rotated  
 to determine Fv)



Here **a-1** is component  
 of TL  $ab_1$  gives length of Fv.  
 Hence it is brought Up to  
 Locus of  $a'$  and further rotated  
 to get point  $b'$ .  $a' b'$  will be Fv.  
 Similarly drawing component  
 of other TL ( $a' b_1'$ ) Tv can be drawn.

The most important diagram showing graphical relations among all important parameters of this topic.  
 Study and memorize it as a **CIRCUIT DIAGRAM**  
 And use in solving various problems.



- 1) True Length ( TL ) –  $a' b_1'$  &  $a b$
- 2) Angle of TL with Hp -  $\theta$
- 3) Angle of TL with Vp –  $\phi$
- 4) Angle of FV with xy –  $\alpha$
- 5) Angle of TV with xy –  $\beta$
- 6) LTV (length of FV) – Component (a-1)
- 7) LFV (length of TV) – Component (a'-1')
- 8) Position of A- Distances of a & a' from xy
- 9) Position of B- Distances of b & b' from xy
- 10) Distance between End Projectors

**Important**  
**TEN** parameters  
 to be remembered  
 with Notations  
 used here onward

**NOTE this**

$\theta$  &  $\alpha$  Construct with  $a'$

$\phi$  &  $\beta$  Construct with  $a$

$b'$  &  $b_1'$  on same locus.

$b$  &  $b_1$  on same locus.

**Also Remember**

True Length is never rotated. It's horizontal component is drawn & it is further rotated to locate view.

Views are always rotated, made horizontal & further extended to locate TL,  $\theta$  &  $\phi$

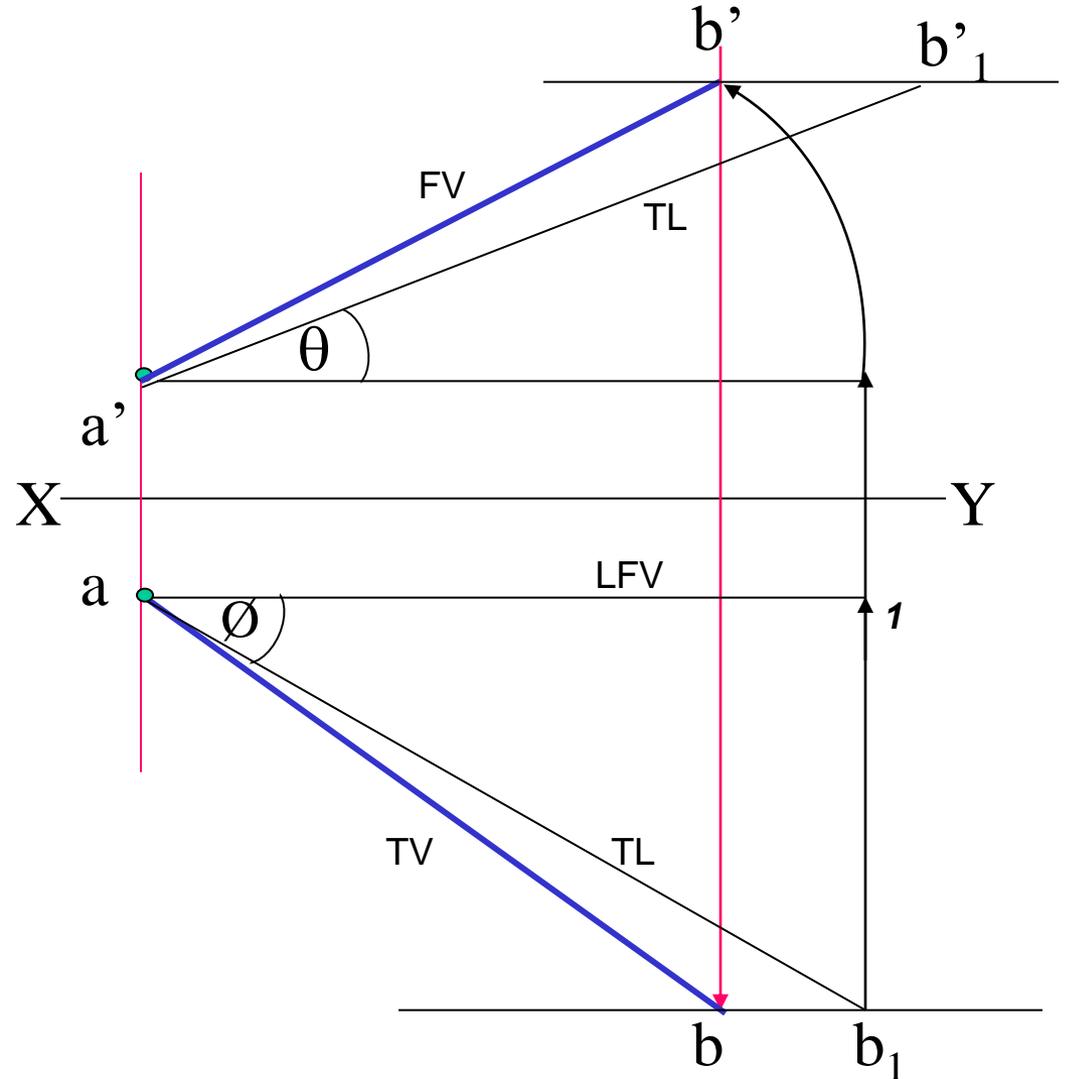
**GENERAL CASES OF THE LINE INCLINED TO BOTH HP & VP  
( based on 10 parameters).**

**PROBLEM 1)**

Line AB is 75 mm long and it is  $30^\circ$  &  $40^\circ$  Inclined to Hp & Vp respectively.  
End A is 12mm above Hp and 10 mm in front of Vp.  
Draw projections. Line is in 1<sup>st</sup> quadrant.

**SOLUTION STEPS:**

- 1) Draw xy line and one projector.
- 2) Locate a' 12mm above xy line & a 10mm below xy line.
- 3) Take  $30^\circ$  angle from a' &  $40^\circ$  from a and mark TL i.e. 75mm on both lines. Name those points b<sub>1</sub>' and b<sub>1</sub> respectively.
- 4) Join both points with a' and a resp.
- 5) Draw horizontal lines (Locus) from both points.
- 6) Draw horizontal component of TL a b<sub>1</sub> from point b<sub>1</sub> and name it 1. ( the length a-1 gives length of Fv as we have seen already.)
- 7) Extend it up to locus of a' and rotating a' as center locate b' as shown. Join a' b' as Fv.
- 8) From b' drop a projector downward & get point b. Join a & b i.e. Tv.

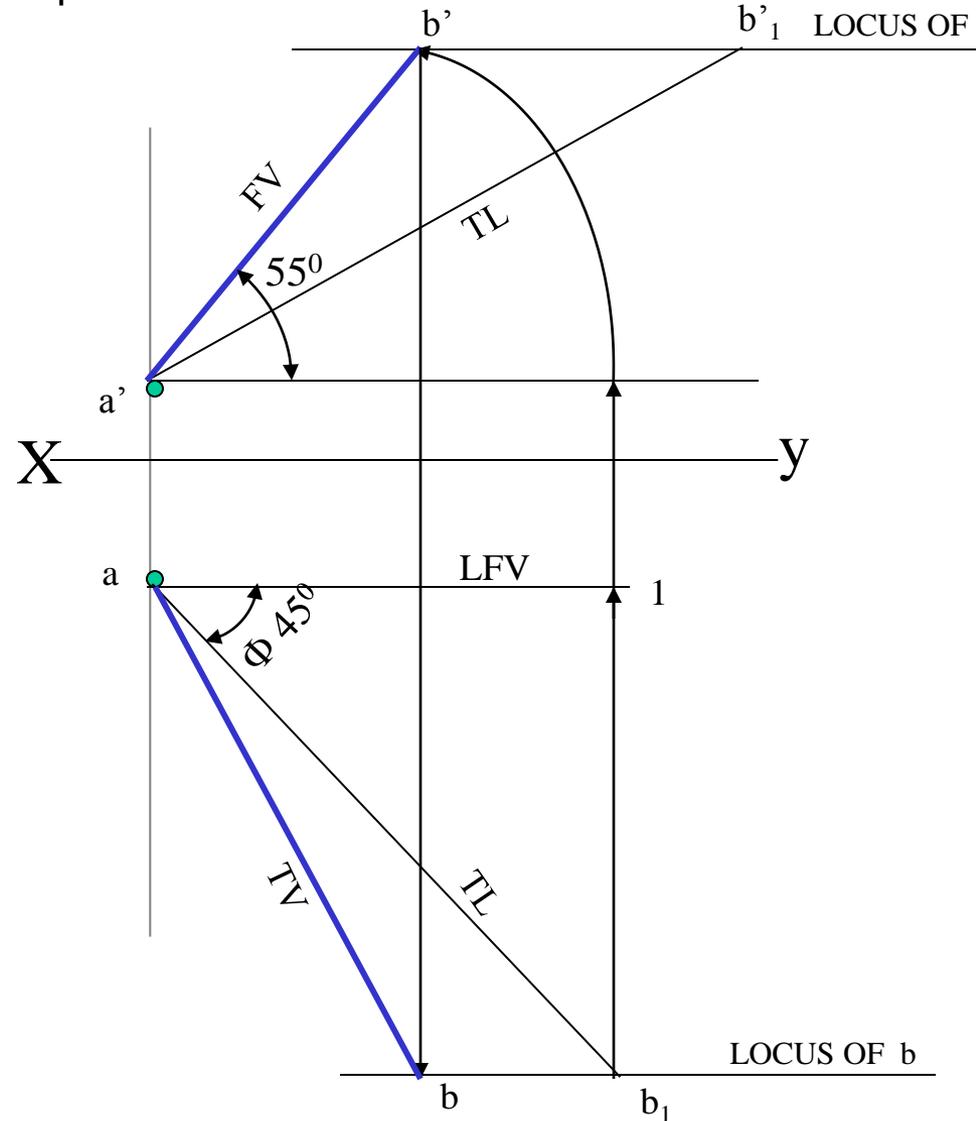


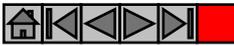
## PROBLEM 2:

Line AB 75mm long makes  $45^\circ$  inclination with Vp while it's Fv makes  $55^\circ$ . End A is 10 mm above Hp and 15 mm in front of Vp. If line is in 1<sup>st</sup> quadrant draw it's projections and find it's inclination with Hp.

### Solution Steps:-

1. Draw x-y line.
2. Draw one projector for  $a'$  &  $a$
3. Locate  $a'$  10mm above x-y &  $a$  15 mm below xy.
4. Draw a line  $45^\circ$  inclined to xy from point  $a$  and cut TL 75 mm on it and name that point  $b_1$ . Draw locus from point  $b_1$
5. Take  $55^\circ$  angle from  $a'$  for Fv above xy line.
6. Draw a vertical line from  $b_1$  up to locus of  $a$  and name it 1. It is horizontal component of TL & is LFV.
7. Continue it to locus of  $a'$  and rotate upward up to the line of Fv and name it  $b'$ . This  $a'b'$  line is Fv.
8. Drop a projector from  $b'$  on locus from point  $b_1$  and name intersecting point  $b$ . Line  $ab$  is Tv of line AB.
9. Draw locus from  $b'$  and from  $a'$  with TL distance cut point  $b_1'$
10. Join  $a'b_1'$  as TL and measure it's angle at  $a'$ . It will be true angle of line with HP.



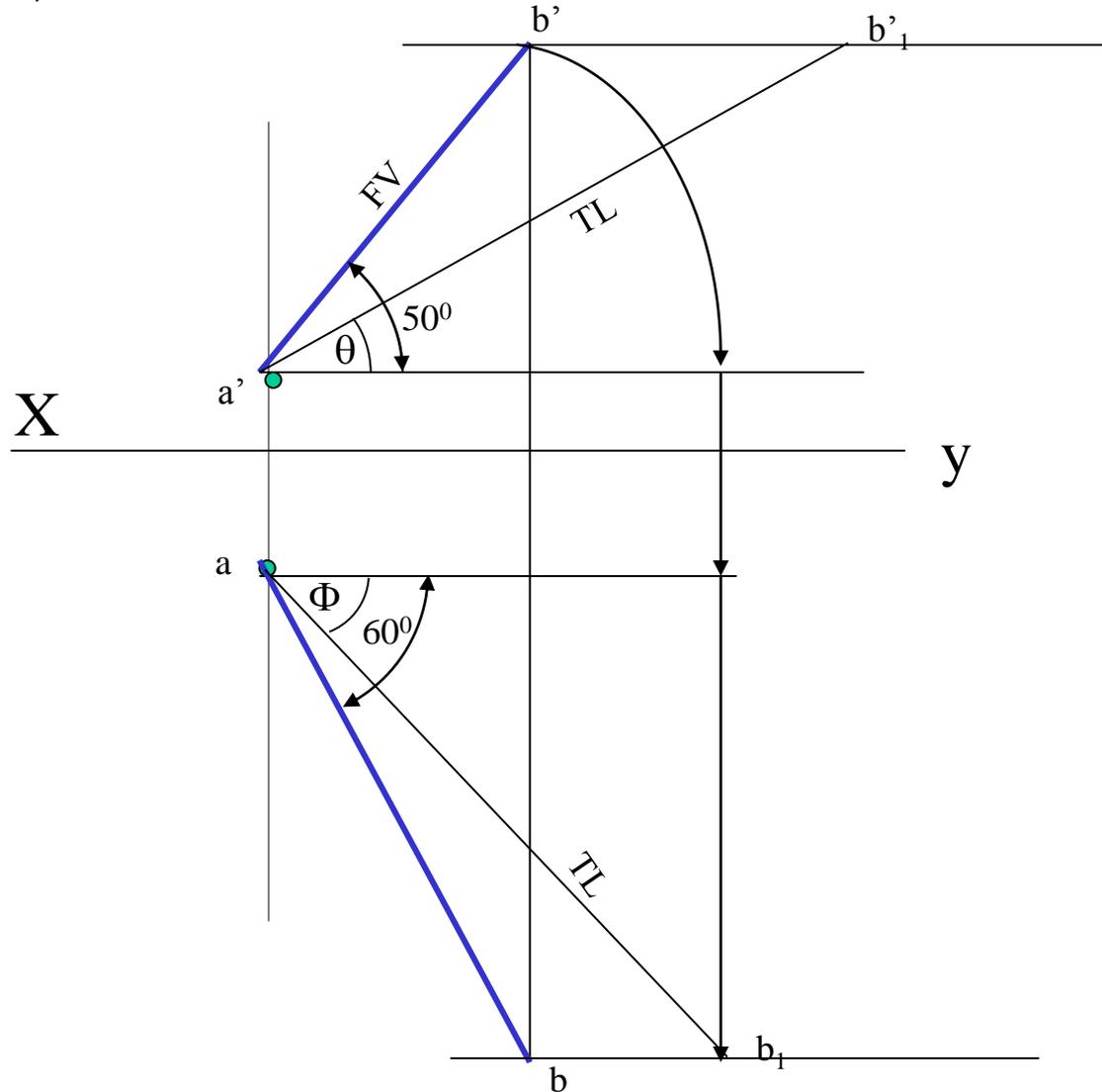


### PROBLEM 3:

Fv of line AB is  $50^\circ$  inclined to  $xy$  and measures 55 mm long while it's Tv is  $60^\circ$  inclined to  $xy$  line. If end A is 10 mm above Hp and 15 mm in front of Vp, draw it's projections, find TL, inclinations of line with Hp & Vp.

### SOLUTION STEPS:

1. Draw  $xy$  line and one projector.
2. Locate  $a'$  10 mm above  $xy$  and  $a$  15 mm below  $xy$  line.
3. Draw locus from these points.
4. Draw Fv  $50^\circ$  to  $xy$  from  $a'$  and mark  $b'$  Cutting 55mm on it.
5. Similarly draw Tv  $60^\circ$  to  $xy$  from  $a$  & drawing projector from  $b'$  Locate point  $b$  and join  $a$   $b$ .
6. Then rotating views as shown, locate True Lengths  $ab_1$  &  $a'b_1'$  and their angles with Hp and Vp.







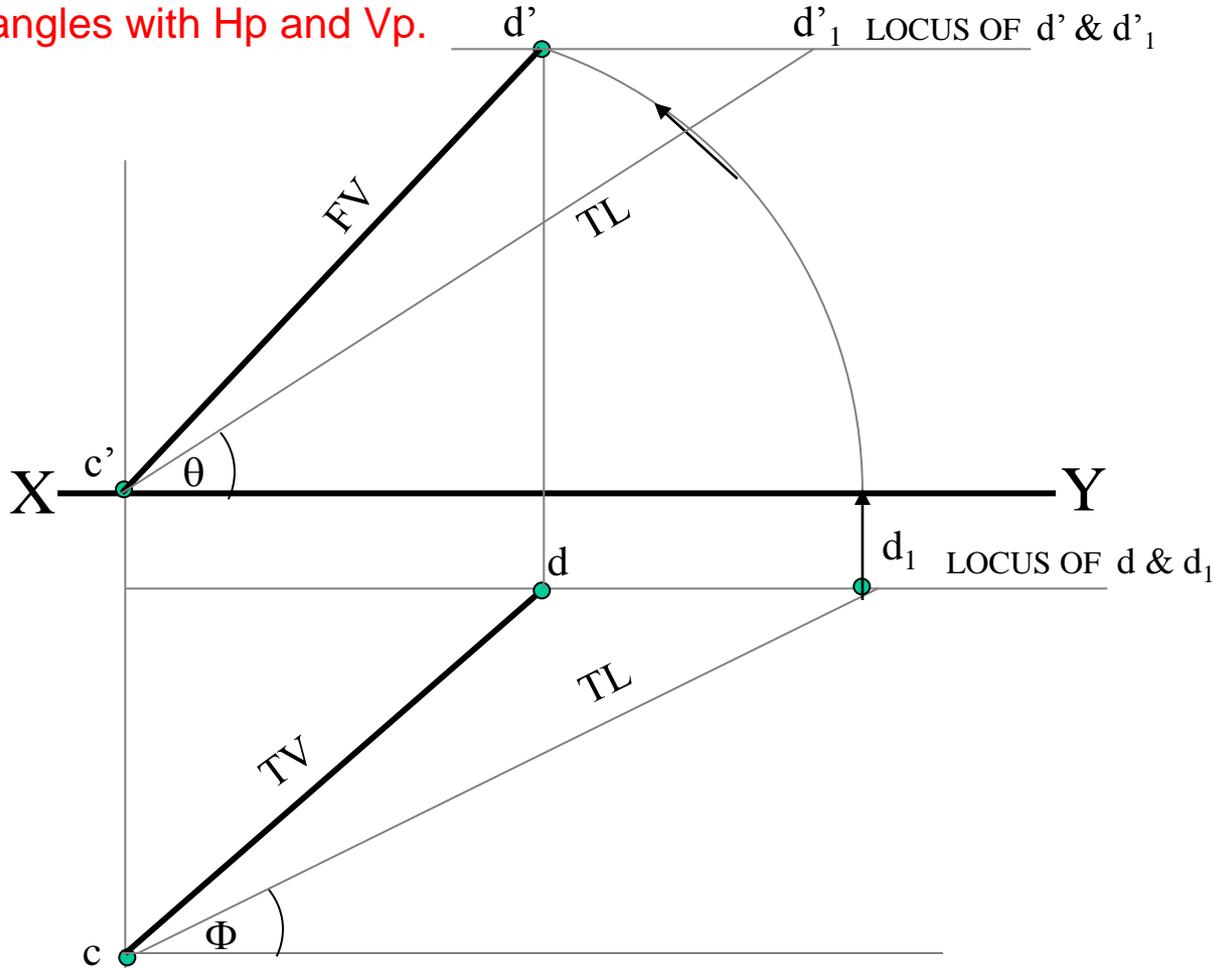
### PROBLEM 5 :-

T.V. of a 75 mm long Line CD, measures 50 mm.

End C is in Hp and 50 mm in front of Vp.

End D is 15 mm in front of Vp and it is above Hp.

Draw projections of CD and find angles with Hp and Vp.



### SOLUTION STEPS:

1. Draw  $xy$  line and one projector.
2. Locate  $c'$  on  $xy$  and  $c$  50mm below  $xy$  line.
3. Draw locus from these points.
4. Draw locus of  $d$  15 mm below  $xy$
5. Cut 50mm & 75 mm distances on locus of  $d$  from  $c$  and mark points  $d$  &  $d_1$  as these are Tv and line CD lengths resp. & join both with  $c$ .
6. From  $d_1$  draw a vertical line upward up to  $xy$  i.e. up to locus of  $c'$  and draw an arc as shown.
7. Then draw one projector from  $d$  to meet this arc in  $d'$  point & join  $c'$   $d'$
8. Draw locus of  $d'$  and cut 75 mm on it from  $c'$  as TL
9. Measure Angles  $\theta$  &  $\Phi$

## GROUP (B)

### PROBLEMS INVOLVING TRACES OF THE LINE.

#### TRACES OF THE LINE:-

THESE ARE THE POINTS OF INTERSECTIONS OF A LINE ( OR IT'S EXTENSION ) WITH RESPECTIVE REFERENCE PLANES.

*A LINE ITSELF OR IT'S EXTENSION, WHERE EVER TOUCHES H.P., THAT POINT IS CALLED TRACE OF THE LINE ON H.P.( IT IS CALLED H.T.)*

*SIMILARLY, A LINE ITSELF OR IT'S EXTENSION, WHERE EVER TOUCHES V.P., THAT POINT IS CALLED TRACE OF THE LINE ON V.P.( IT IS CALLED V.T.)*

**V.T.:-** It is a point on **Vp**.  
Hence it is called **Fv** of a point in **Vp**.  
Hence it's **Tv** comes on XY line.( Here onward named as **v** )

**H.T.:-** It is a point on **Hp**.  
Hence it is called **Tv** of a point in **Hp**.  
Hence it's **Fv** comes on **XY line**.( Here onward named as **'h'** )

## STEPS TO LOCATE HT.

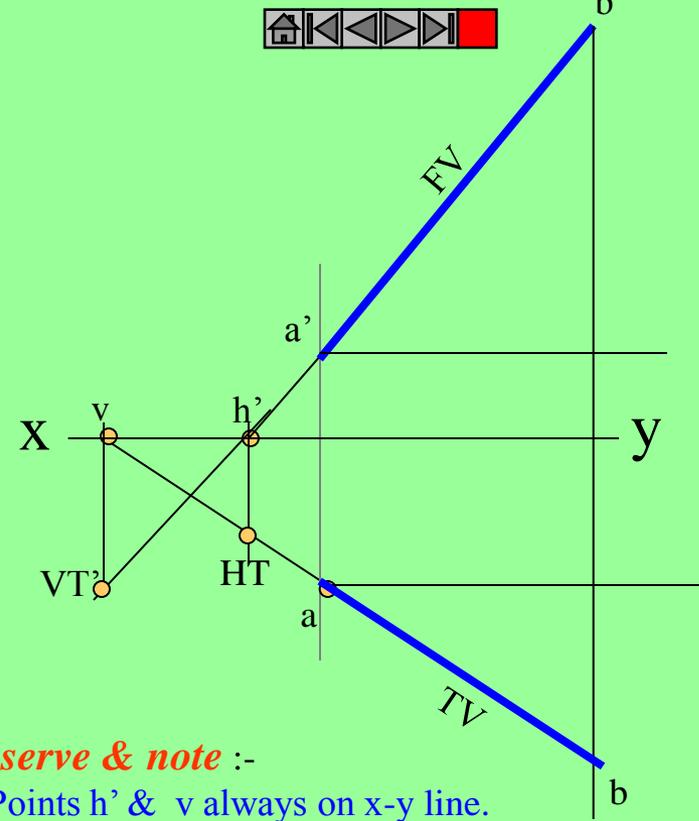
(WHEN PROJECTIONS ARE GIVEN.)

1. Begin with FV. Extend FV up to XY line.
2. Name this point  $h'$   
( as it is a Fv of a point in Hp)
3. Draw one projector from  $h'$ .
4. Now extend Tv to meet this projector.  
This point is HT

## STEPS TO LOCATE VT.

(WHEN PROJECTIONS ARE GIVEN.)

1. Begin with TV. Extend TV up to XY line.
2. Name this point  $v$   
( as it is a Tv of a point in Vp)
3. Draw one projector from  $v$ .
4. Now extend Fv to meet this projector.  
This point is VT



*Observe & note :-*

1. Points  $h'$  &  $v$  always on x-y line.
2.  $VT'$  &  $v$  always on one projector.
3.  $HT$  &  $h'$  always on one projector.
4.  $FV - h' - VT'$  always co-linear.
5.  $TV - v - HT$  always co-linear.

*These points are used to solve next three problems.*



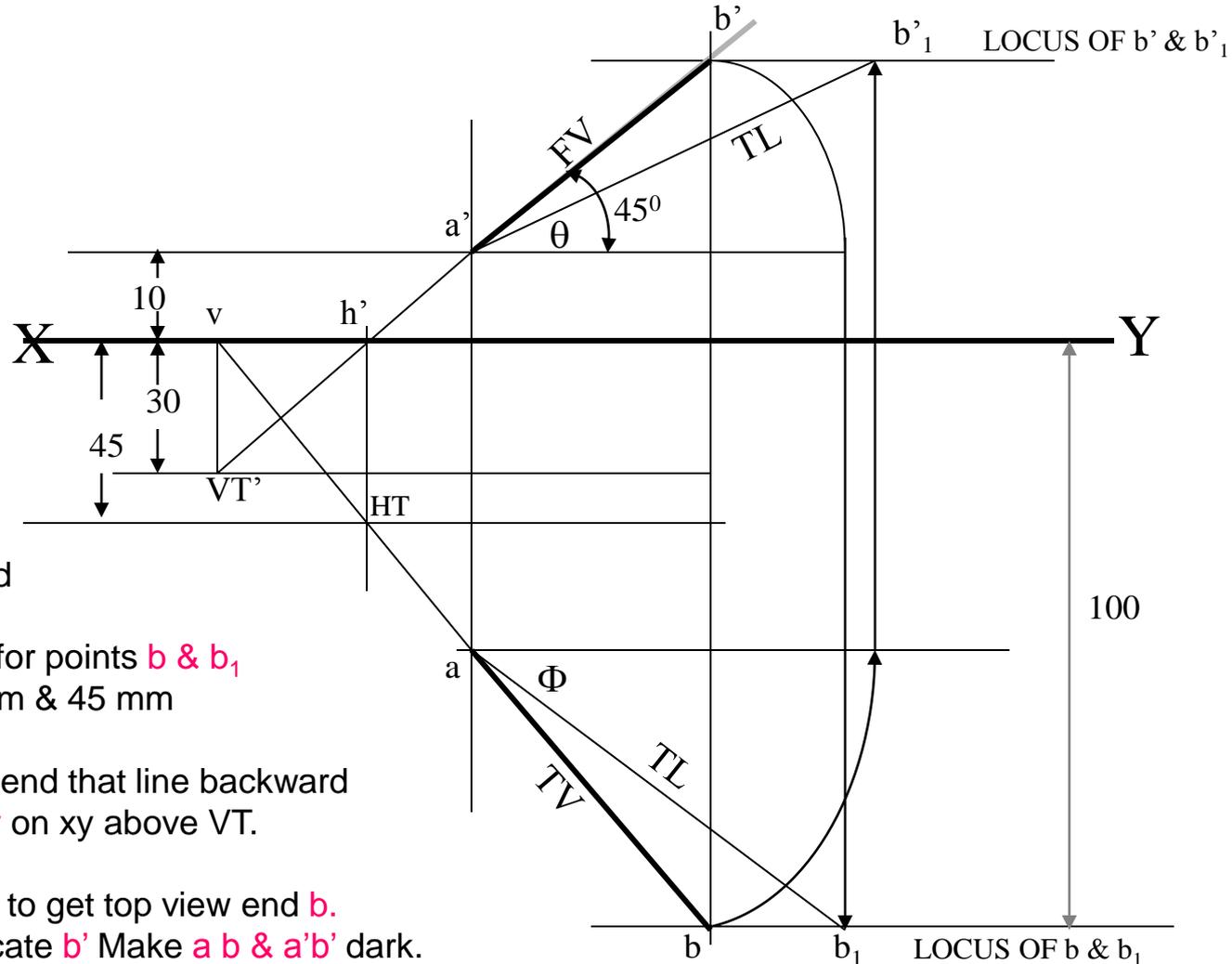


### PROBLEM 7 :

One end of line AB is 10mm above Hp and other end is 100 mm in-front of Vp.

It's Fv is  $45^\circ$  inclined to xy while it's HT & VT are 45mm and 30 mm below xy respectively.

Draw projections and find TL with it's inclinations with Hp & VP.



### SOLUTION STEPS:-

Draw xy line, one projector and locate  $a'$  10 mm above xy.

Draw locus 100 mm below xy for points  $b$  &  $b_1$

Draw loci for VT and HT, 30 mm & 45 mm below xy respectively.

Take  $45^\circ$  angle from  $a'$  and extend that line backward to locate  $h'$  and VT, & Locate  $v$  on xy above VT.

Locate HT below  $h'$  as shown.

Then join  $v - HT -$  and extend to get top view end  $b$ .

Draw projector upward and locate  $b'$  Make  $ab$  &  $a'b'$  dark.

Now as usual rotating views find TL and it's inclinations.

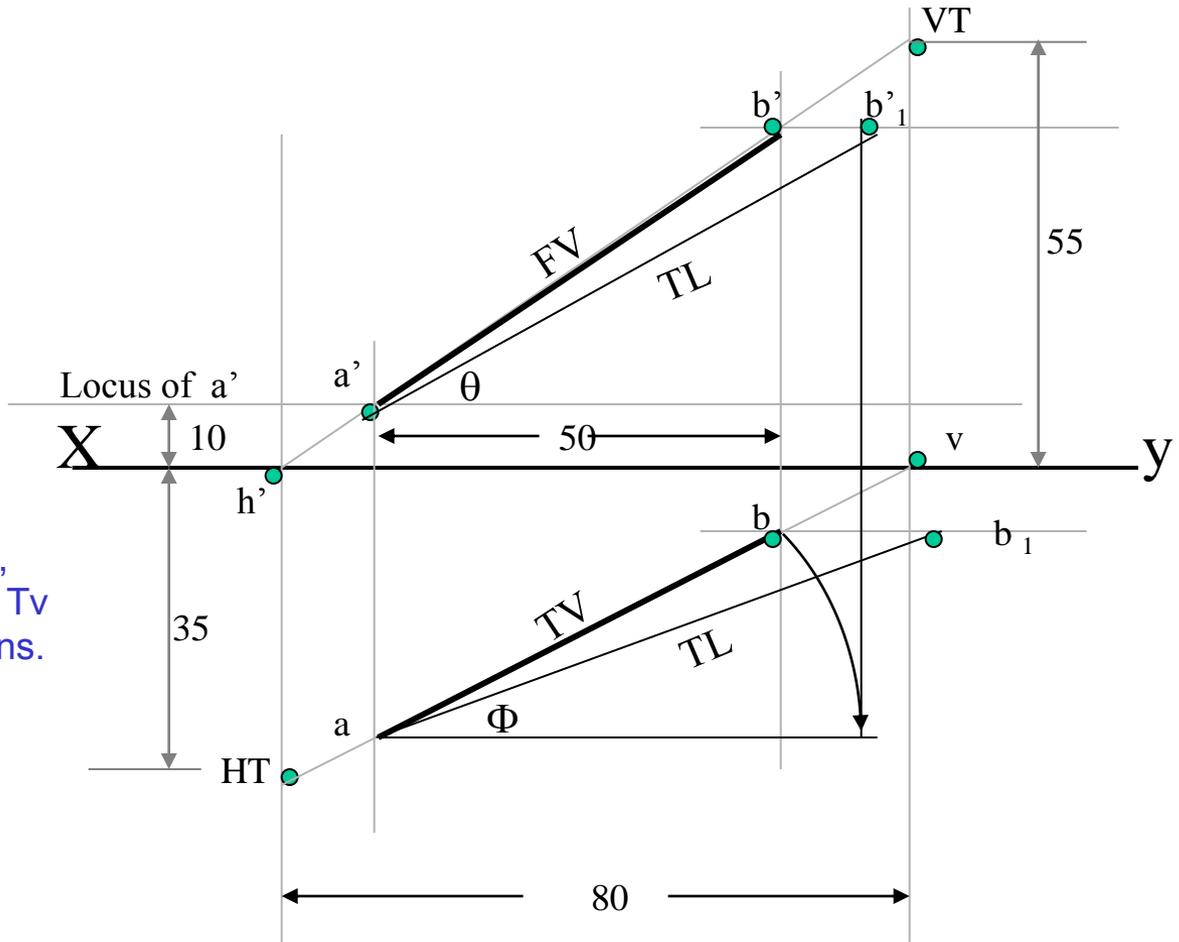


**PROBLEM 8 :-** Projectors drawn from HT and VT of a line AB are 80 mm apart and those drawn from it's ends are 50 mm apart. End A is 10 mm above Hp, VT is 35 mm below Hp while it's HT is 45 mm in front of Vp. Draw projections, locate traces and find TL of line & inclinations with Hp and Vp.

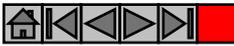
**SOLUTION STEPS:-**

1. Draw xy line and two projectors, 80 mm apart and locate HT & VT, 35 mm below xy and 55 mm above xy respectively on these projectors.
2. Locate h' and v on xy as usual.

3. Now just like previous two problems, Extending certain lines complete Fv & Tv. And as usual find TL and it's inclinations.







### PROBLEM 9 :-

Line AB 100 mm long is  $30^\circ$  and  $45^\circ$  inclined to Hp & Vp respectively.

End A is 10 mm above Hp and its VT is 20 mm below Hp

.Draw projections of the line and its HT.

#### SOLUTION STEPS:-

Draw  $xy$ , one projector and locate on it  $VT$  and  $V$ .

Draw locus of  $a'$  10 mm above  $xy$ .

Take  $30^\circ$  from  $VT$  and draw a line.

Where it intersects with locus of  $a'$  name it  $a_1'$  as it is TL of that part.

From  $a_1'$  cut 100 mm (TL) on it and locate point  $b_1'$

Now from  $v$  take  $45^\circ$  and draw a line downwards

& Mark on it distance  $VT-a_1'$  i.e.TL of extension & name it  $a_1$

Extend this line by 100 mm and mark point  $b_1$ .

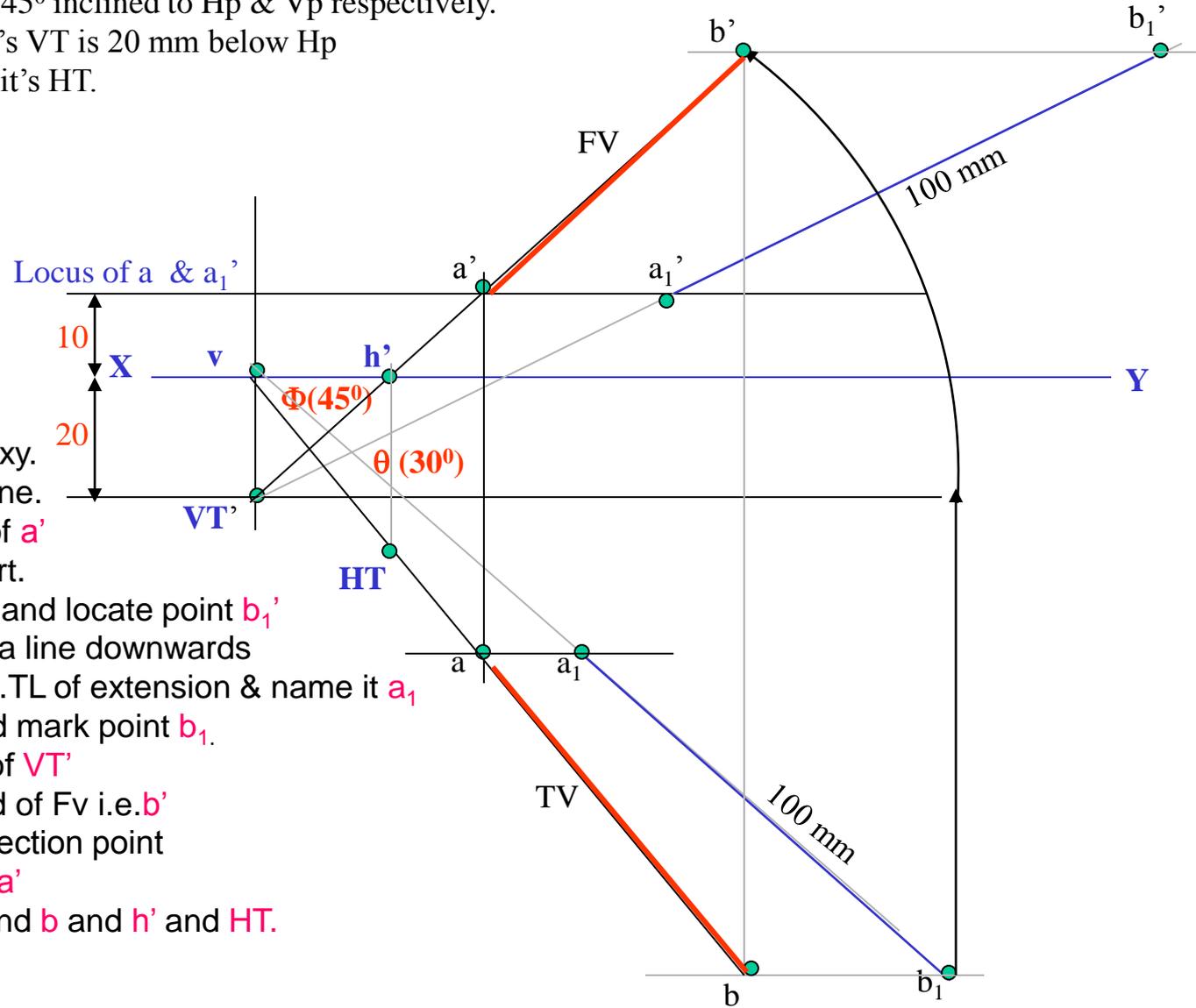
Draw its component on locus of  $VT'$

& further rotate to get other end of Fv i.e. $b'$

Join it with  $VT'$  and mark intersection point

(with locus of  $a_1'$  ) and name it  $a'$

Now as usual locate points  $a$  and  $b$  and  $h'$  and  $HT$ .

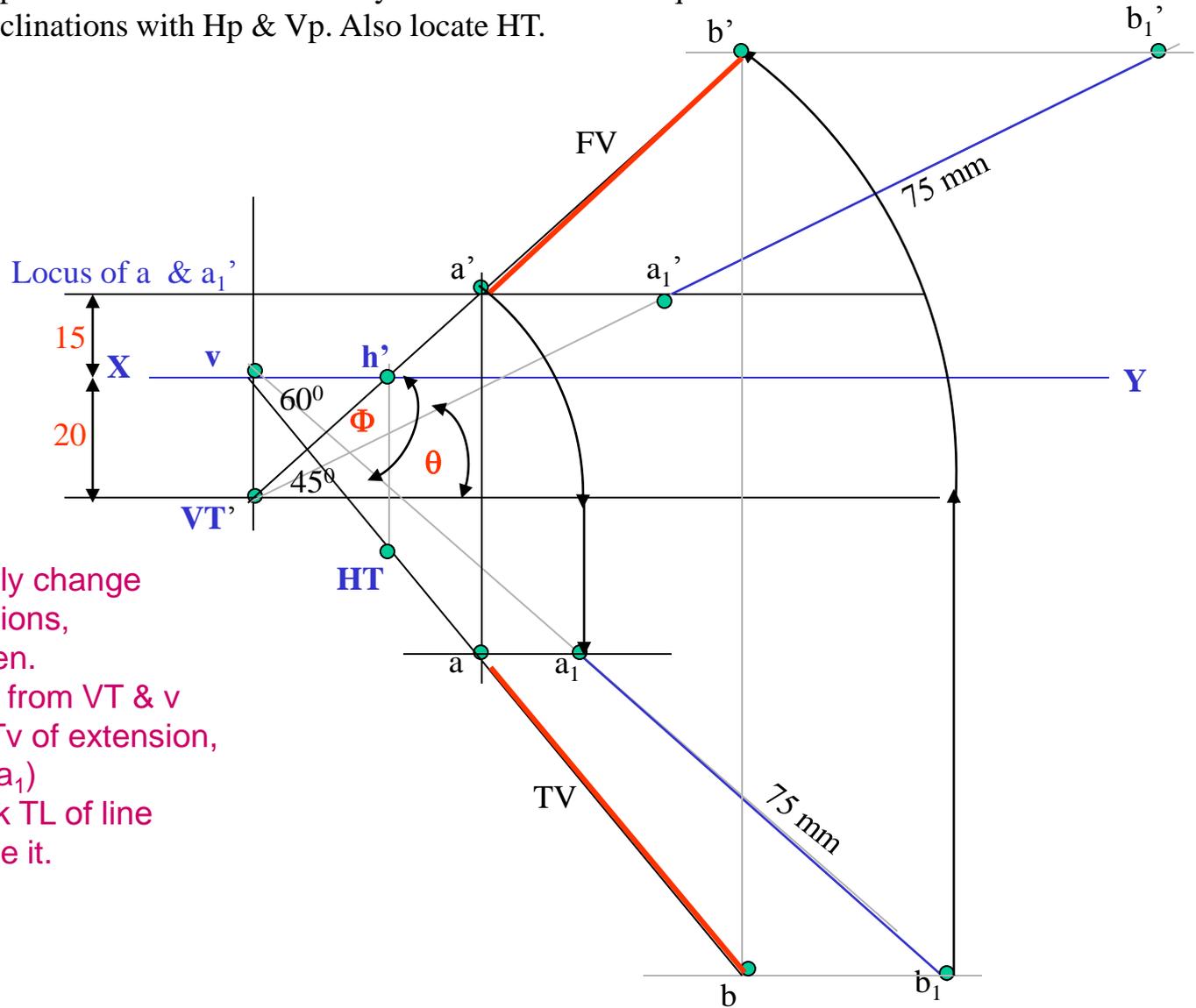




### PROBLEM 10 :-

A line AB is 75 mm long. It's Fv & Tv make  $45^\circ$  and  $60^\circ$  inclinations with X-Y line resp  
End A is 15 mm above Hp and VT is 20 mm below Xy line. Line is in first quadrant.

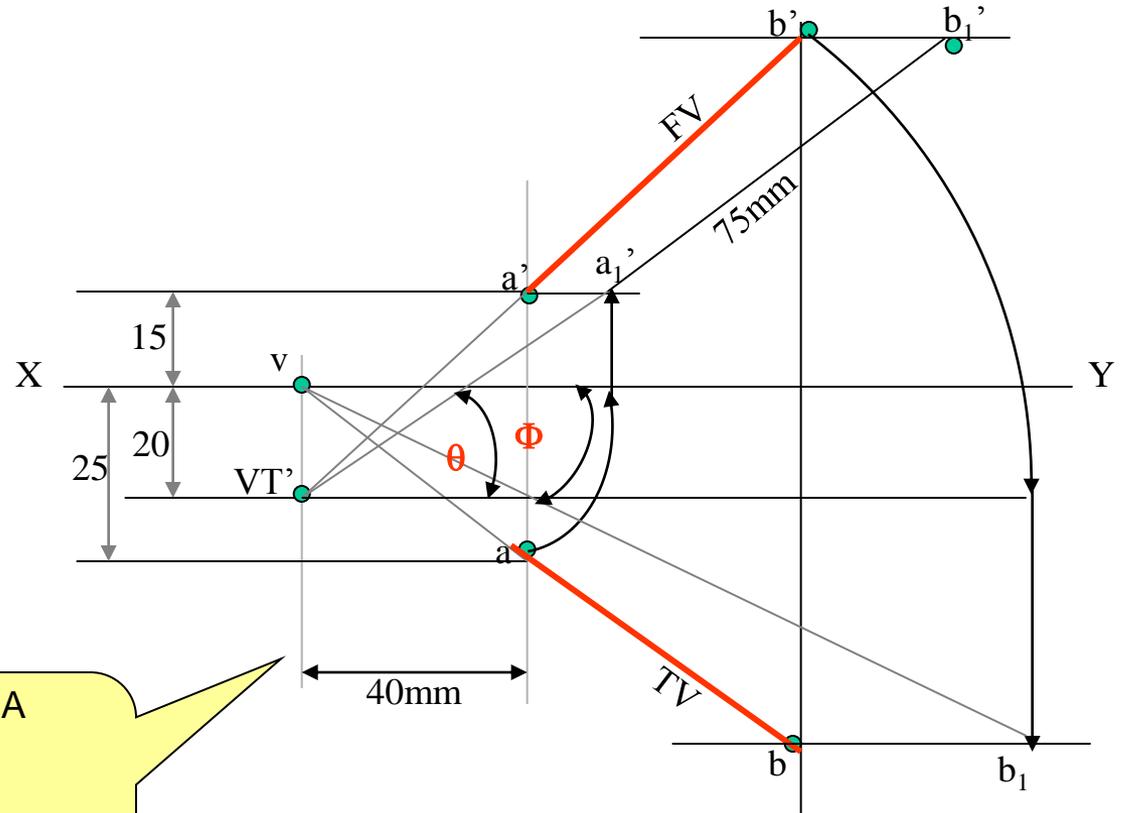
Draw projections, find inclinations with Hp & Vp. Also locate HT.



### SOLUTION STEPS:-

Similar to the previous only change is instead of line's inclinations, views inclinations are given. So first take those angles from VT & v Properly, construct Fv & Tv of extension, then determine it's TL( V-a<sub>1</sub>) and on it's extension mark TL of line and proceed and complete it.

**PROBLEM 11 :-** The projectors drawn from VT & end A of line AB are 40mm apart. End A is 15mm above Hp and 25 mm in front of Vp. VT of line is 20 mm below Hp. If line is 75mm long, draw it's projections, find inclinations with HP & Vp

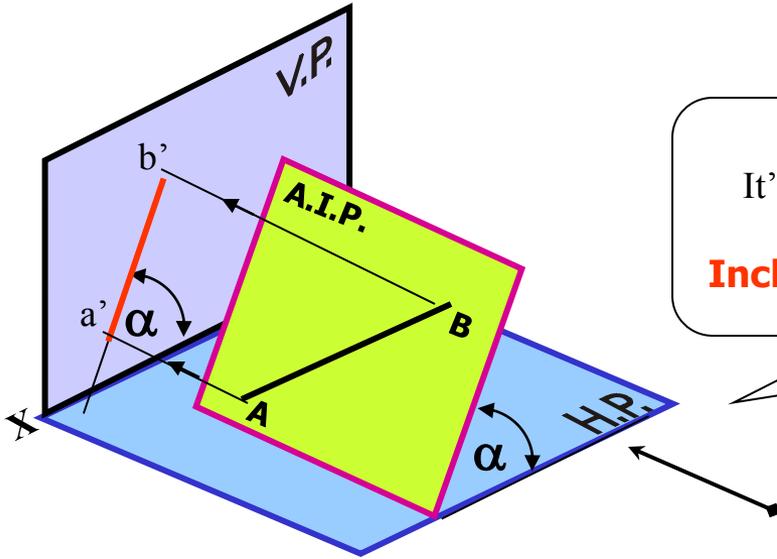


Draw two projectors for VT & end A  
Locate these points and then

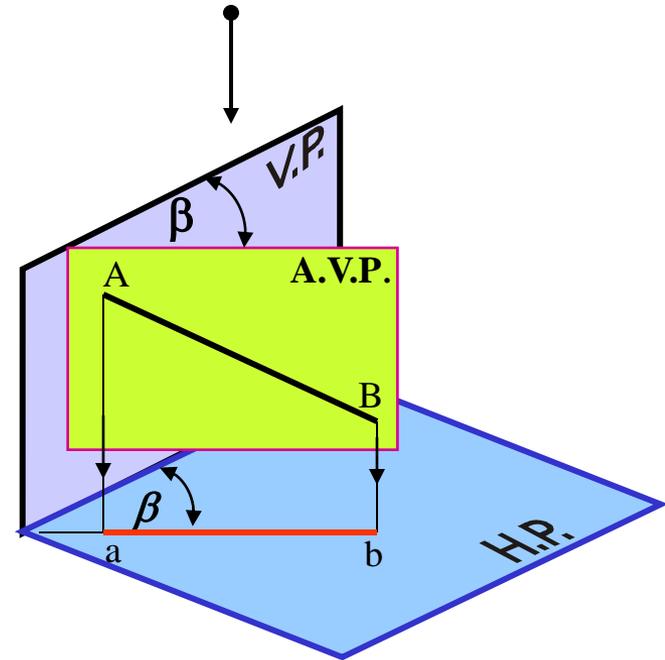
**YES !**  
**YOU CAN COMPLETE IT.**

## GROUP (C)

### CASES OF THE LINES IN A.V.P., A.I.P. & PROFILE PLANE.

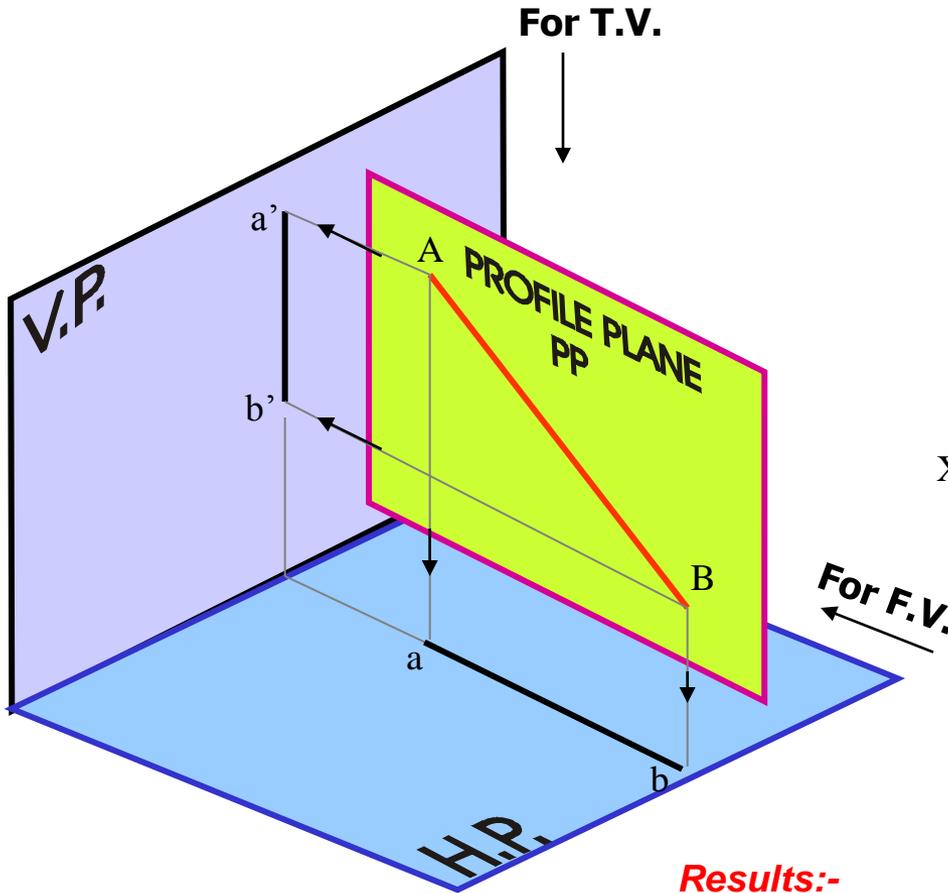


Line AB is in AIP as shown in above figure no 1.  
 It's FV ( $a'b'$ ) is shown projected on Vp.(Looking in arrow direction)  
 Here one can clearly see that the  
**Inclination of AIP with HP = Inclination of FV with XY line**

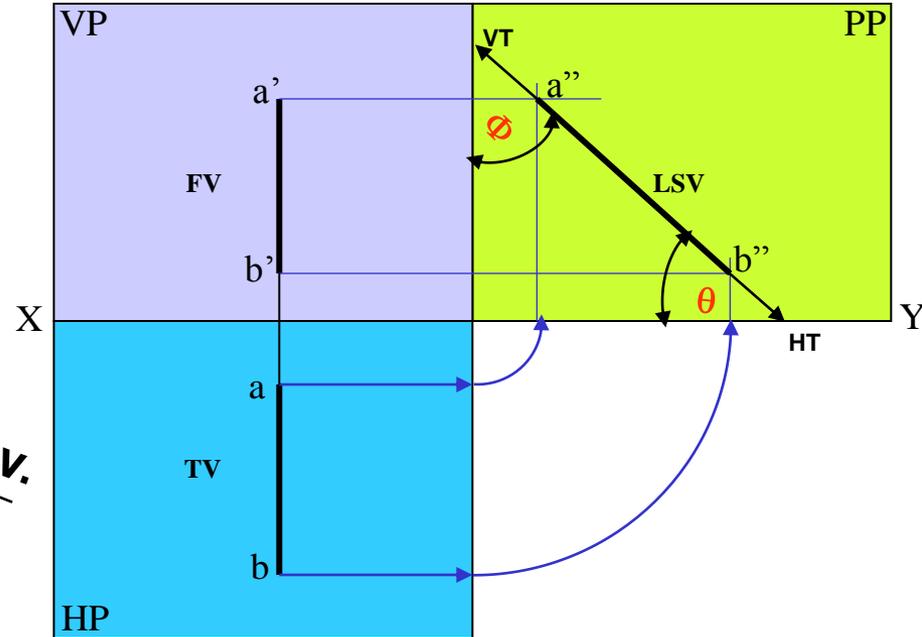


Line AB is in AVP as shown in above figure no 2..  
 It's TV ( $a b$ ) is shown projected on Hp.(Looking in arrow direction)  
 Here one can clearly see that the  
**Inclination of AVP with VP = Inclination of TV with XY line**

# LINE IN A PROFILE PLANE ( MEANS IN A PLANE PERPENDICULAR TO BOTH HP & VP)



## ORTHOGRAPHIC PATTERN OF LINE IN PROFILE PLANE

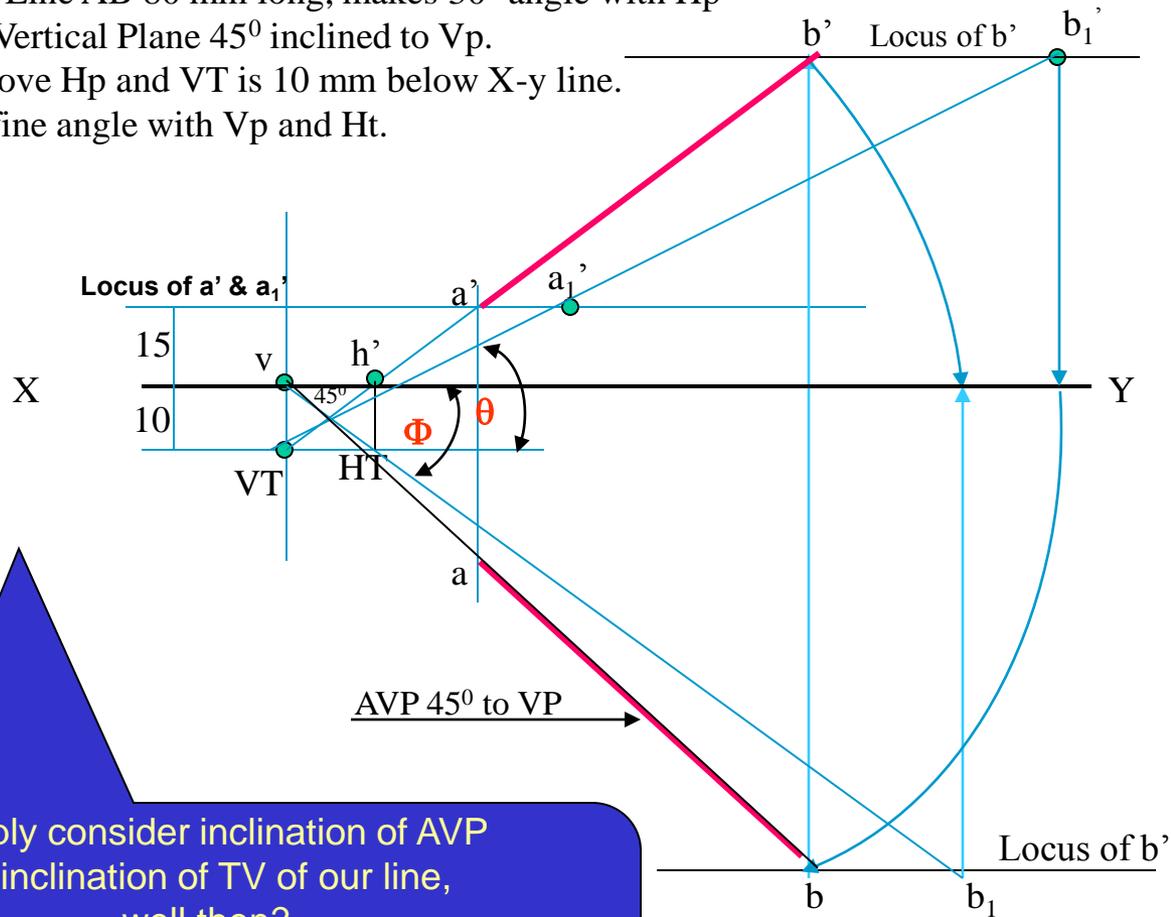


### Results:-

1. TV & FV both are vertical, hence arrive on one single projector.
2. It's Side View shows True Length ( TL)
3. Sum of it's inclinations with HP & VP equals to  $90^\circ$  (  $\theta + \Phi = 90^\circ$  )
4. It's HT & VT arrive on same projector and can be easily located From Side View.

OBSERVE CAREFULLY ABOVE GIVEN ILLUSTRATION AND 2<sup>nd</sup> SOLVED PROBLEM.

**PROBLEM 12 :-** Line AB 80 mm long, makes  $30^\circ$  angle with Hp and lies in an Aux. Vertical Plane  $45^\circ$  inclined to Vp.  
 End A is 15 mm above Hp and VT is 10 mm below X-y line.  
 Draw projections, find angle with Vp and Ht.



Simply consider inclination of AVP as inclination of TV of our line, well then?

*You sure can complete it as previous problems!*

*Go ahead!!*

**PROBLEM 13 :-** A line AB, 75mm long, has one end A in Vp. Other end B is 15 mm above Hp and 50 mm in front of Vp. Draw the projections of the line when sum of it's Inclinations with HP & Vp is  $90^\circ$ , means it is lying in a profile plane. Find true angles with ref. planes and it's traces.

**SOLUTION STEPS:-**

After drawing xy line and one projector  
Locate top view of A i.e point a on xy as  
It is in Vp,

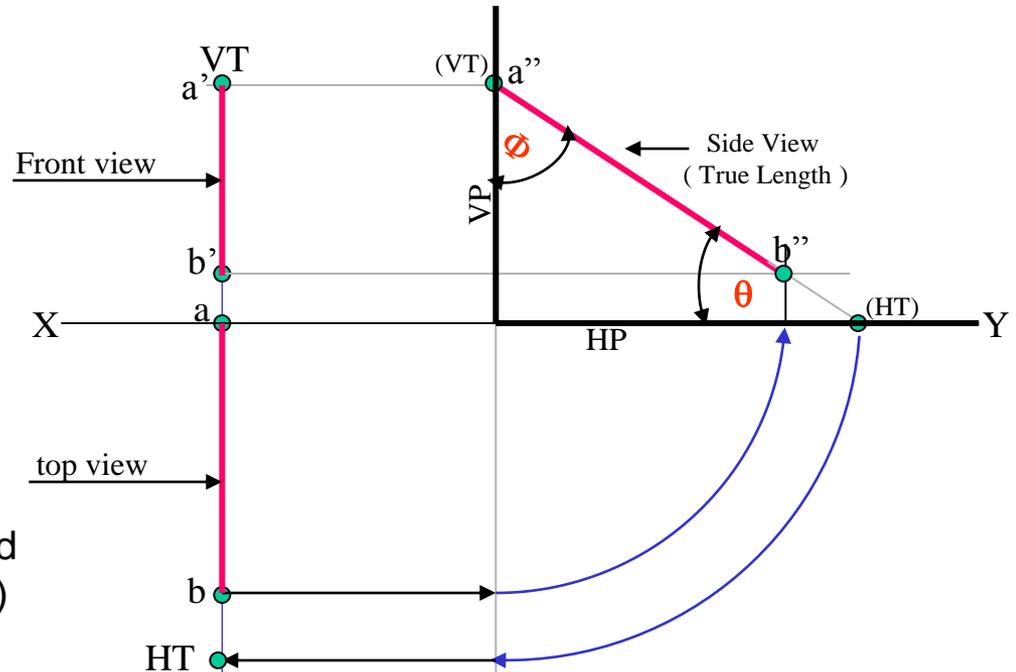
Locate Fv of B i.e. b' 15 mm above xy as  
it is above Hp. and Tv of B i.e. b, 50 mm  
below xy as it is 50 mm in front of Vp

Draw side view structure of Vp and Hp  
and locate S.V. of point B i.e. b''

From this point cut 75 mm distance on Vp and  
Mark a'' as A is in Vp. (This is also VT of line.)

From this point draw locus to left & get a'  
Extend SV up to Hp. It will be HT. As it is a Tv  
Rotate it and bring it on projector of b.

Now as discussed earlier SV gives TL of line  
and at the same time on extension up to Hp & Vp  
gives inclinations with those panes.



## APPLICATIONS OF PRINCIPLES OF PROJECTIONS OF LINES IN SOLVING CASES OF DIFFERENT PRACTICAL SITUATIONS.

In these types of problems some situation in the field

or

some object will be described .

It's relation with Ground ( HP )

And

a Wall or some vertical object ( VP ) will be given.

Indirectly information regarding Fv & Tv of some line or lines,  
inclined to both reference Planes will be given

and

you are supposed to draw it's projections

and

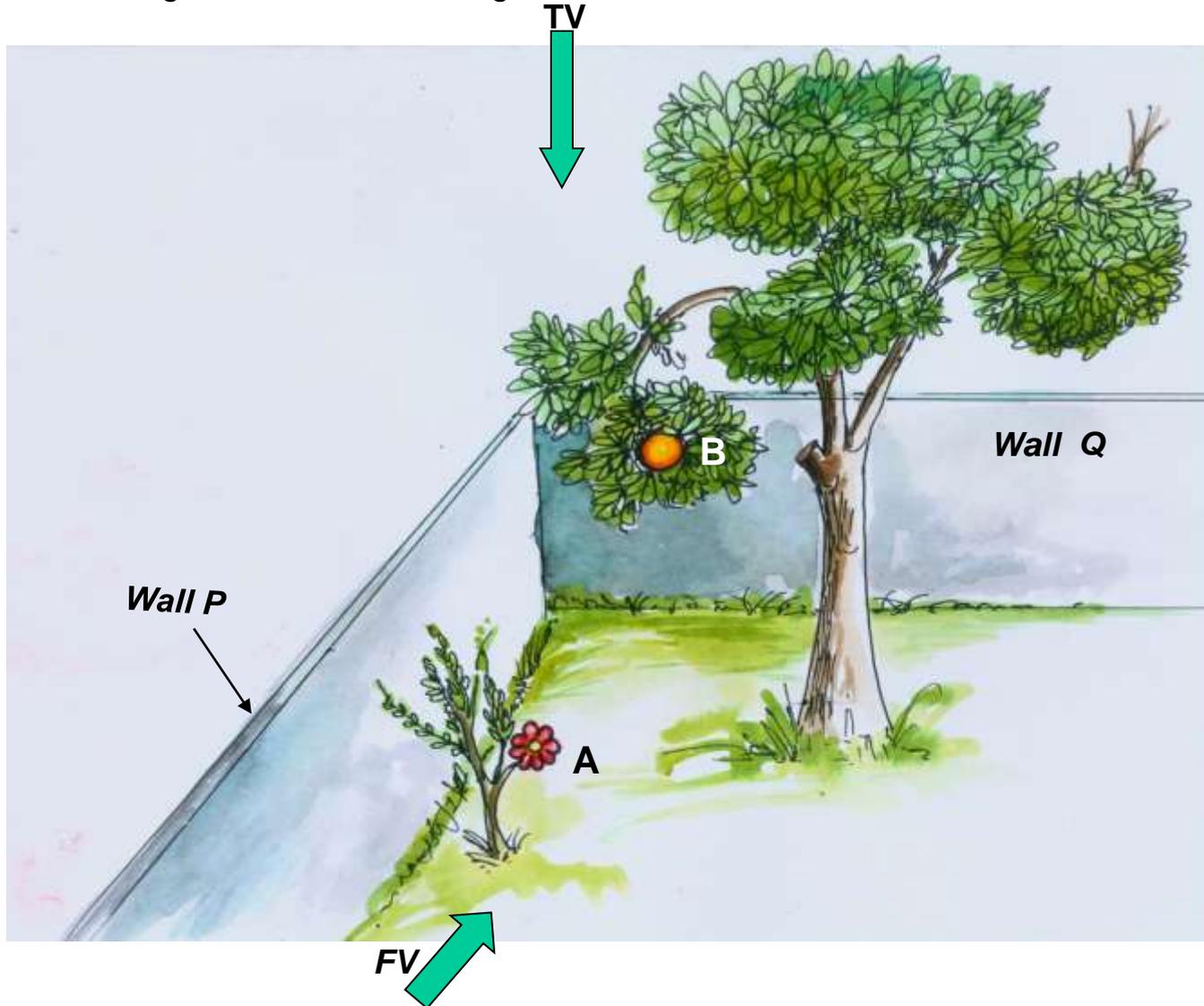
further to determine it's true Length and it's inclinations with ground.

Here various problems along with  
actual pictures of those situations are given  
for you to understand those clearly.

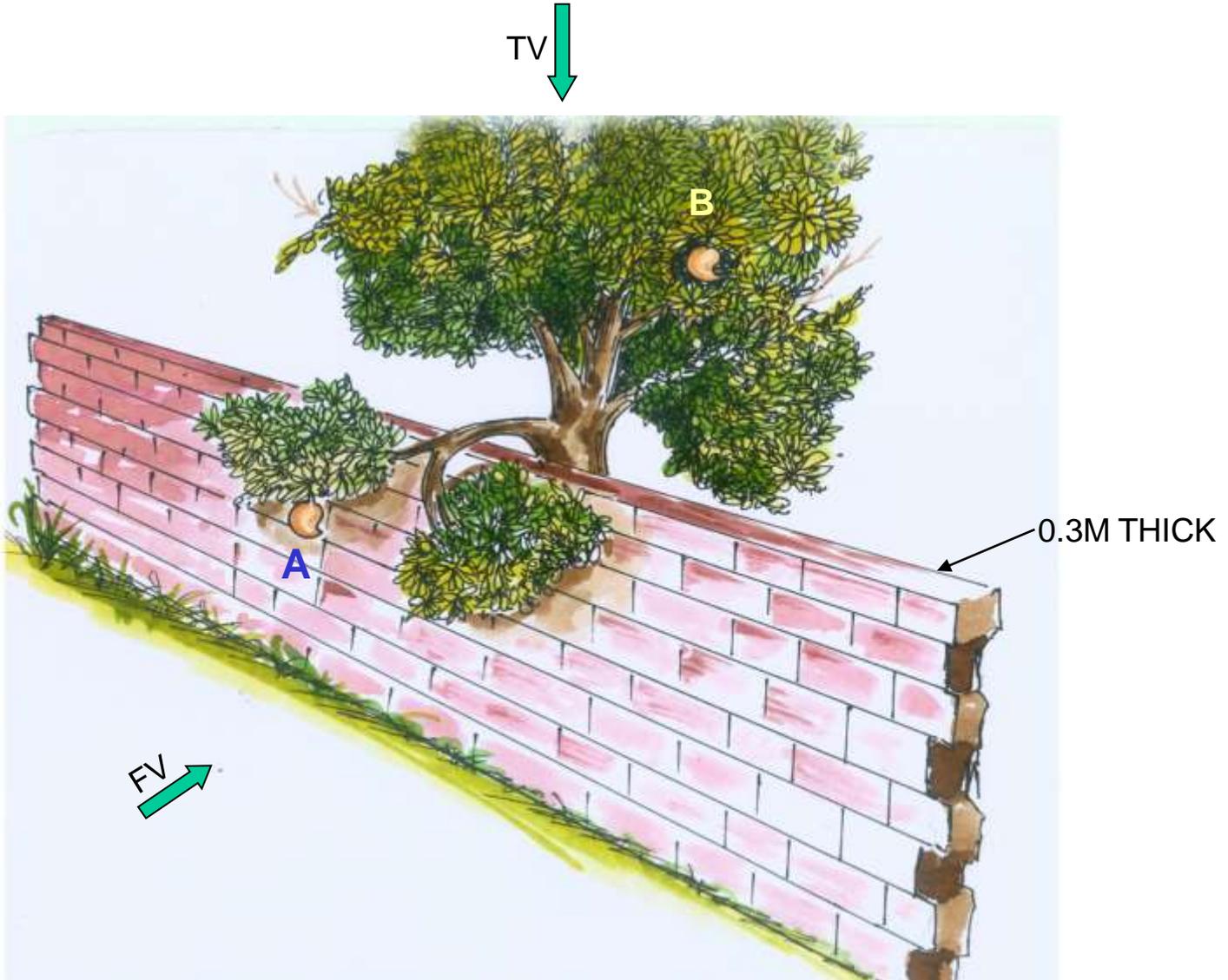
Now looking for views in given **ARROW** directions,  
**YOU** are supposed to draw projections & find answers,  
Off course you must visualize the situation properly.

**CHECK YOUR ANSWERS  
WITH THE SOLUTIONS  
GIVEN IN THE END.  
ALL THE BEST !!**

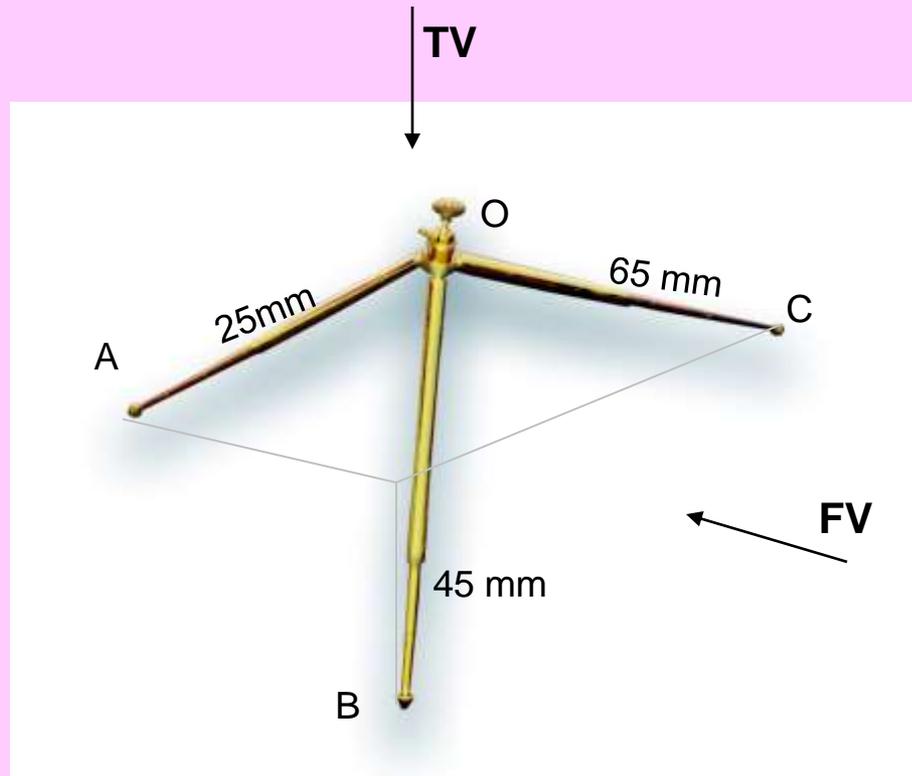
**PROBLEM 14:-**Two objects, a flower (A) and an orange (B) are within a rectangular compound wall, whose P & Q are walls meeting at  $90^\circ$ . Flower A is 1M & 5.5 M from walls P & Q respectively. Orange B is 4M & 1.5M from walls P & Q respectively. Drawing projection, find distance between them. If flower is 1.5 M and orange is 3.5 M above the ground. Consider suitable scale..



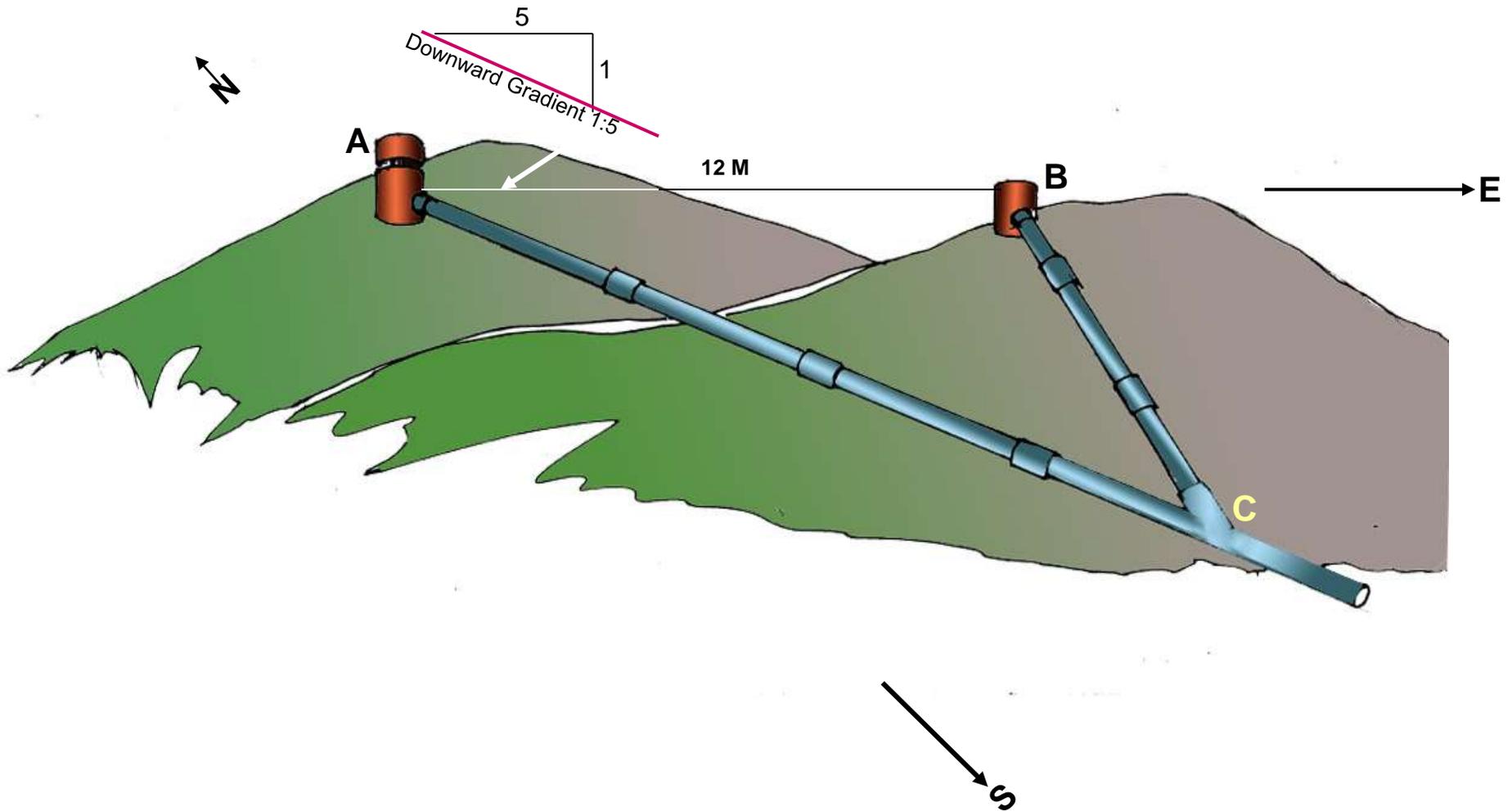
**PROBLEM 15 :-** Two mangos on a tree A & B are 1.5 m and 3.00 m above ground and those are 1.2 m & 1.5 m from a 0.3 m thick wall but on opposite sides of it. If the distance measured between them along the ground and parallel to wall is 2.6 m, Then find real distance between them by drawing their projections.



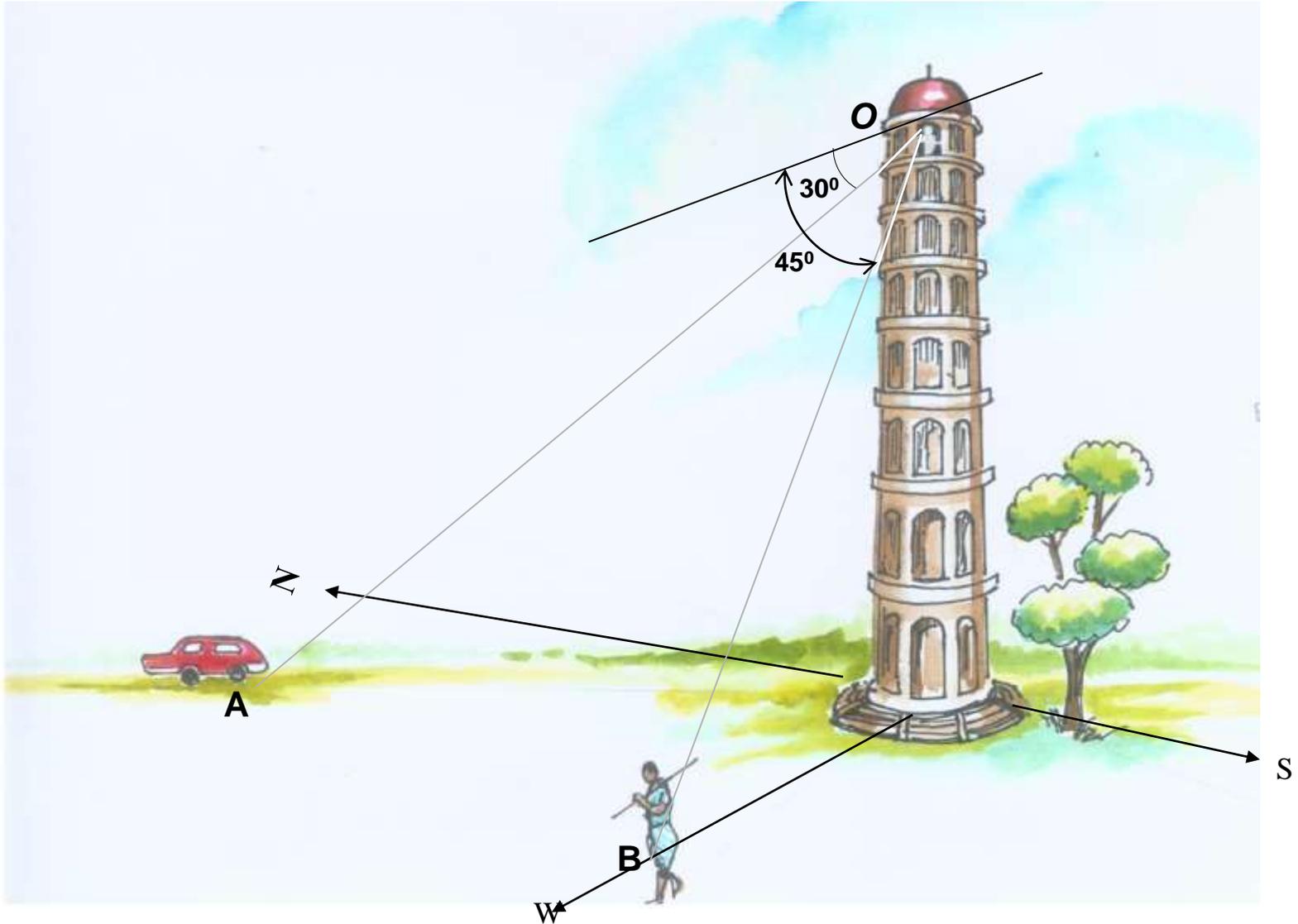
**PROBLEM 16 :-** oa, ob & oc are three lines, 25mm, 45mm and 65mm long respectively. All equally inclined and the shortest is vertical. This fig. is TV of three rods OA, OB and OC whose ends A, B & C are on ground and end O is 100mm above ground. Draw their projections and find length of each along with their angles with ground.



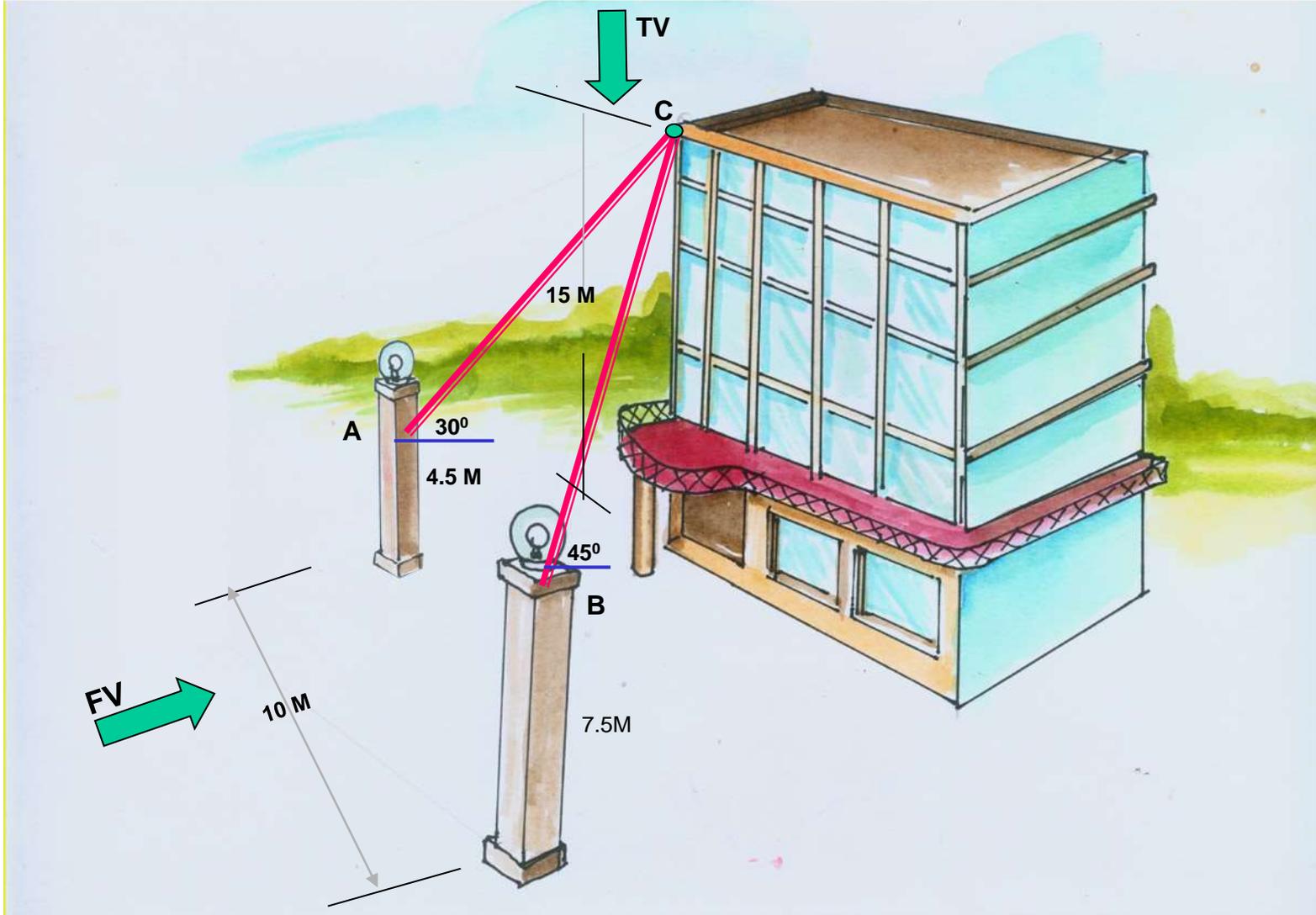
**PROBLEM 17:-** A pipe line from point **A** has a downward gradient 1:5 and it runs due East-South. Another Point **B** is 12 M from **A** and due East of **A** and in same level of **A**. Pipe line from **B** runs  $20^\circ$  Due East of South and meets pipe line from **A** at point **C**. Draw projections and find length of pipe line from **B** and its inclination with ground.



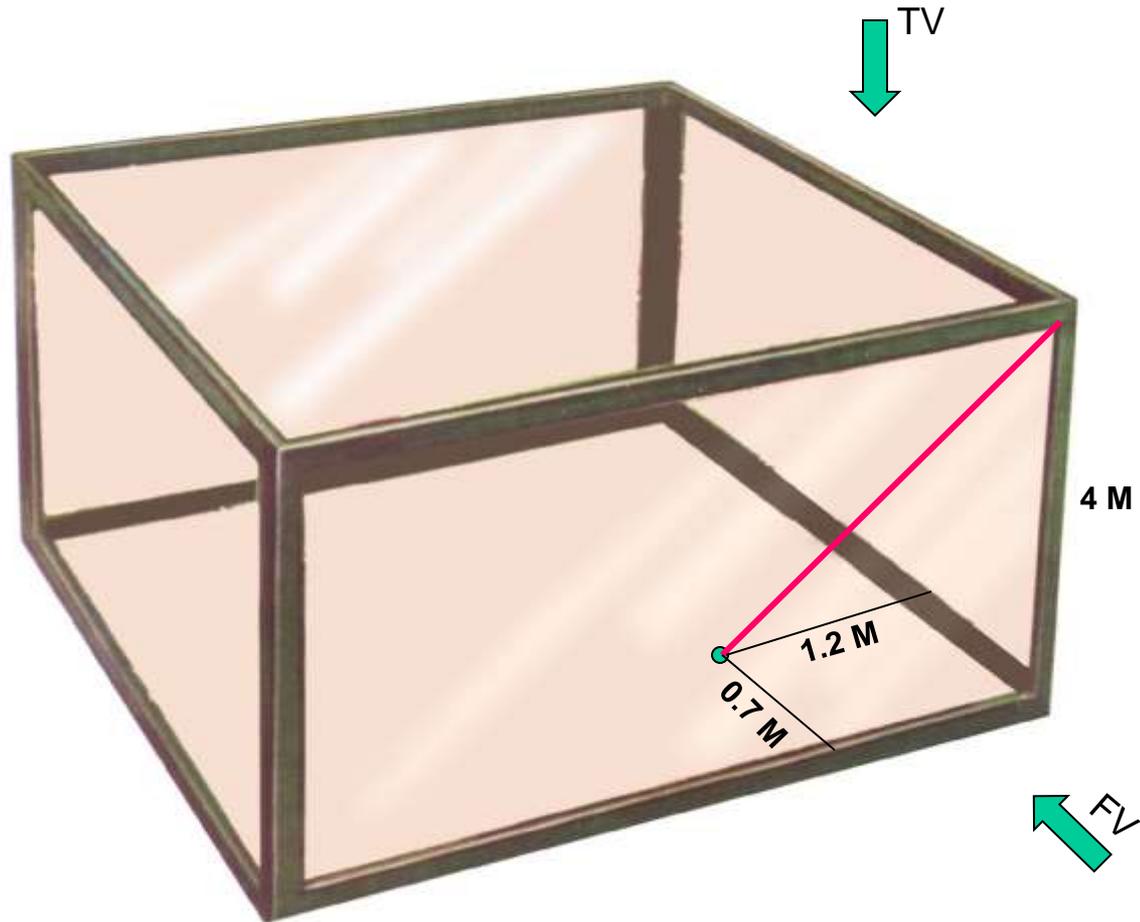
**PROBLEM 18:** A person observes two objects, A & B, on the ground, from a tower, 15 M high, At the angles of depression  $30^\circ$  &  $45^\circ$ . Object A is in due North-West direction of observer and object B is due West direction. Draw projections of situation and find distance of objects from observer and from tower also.



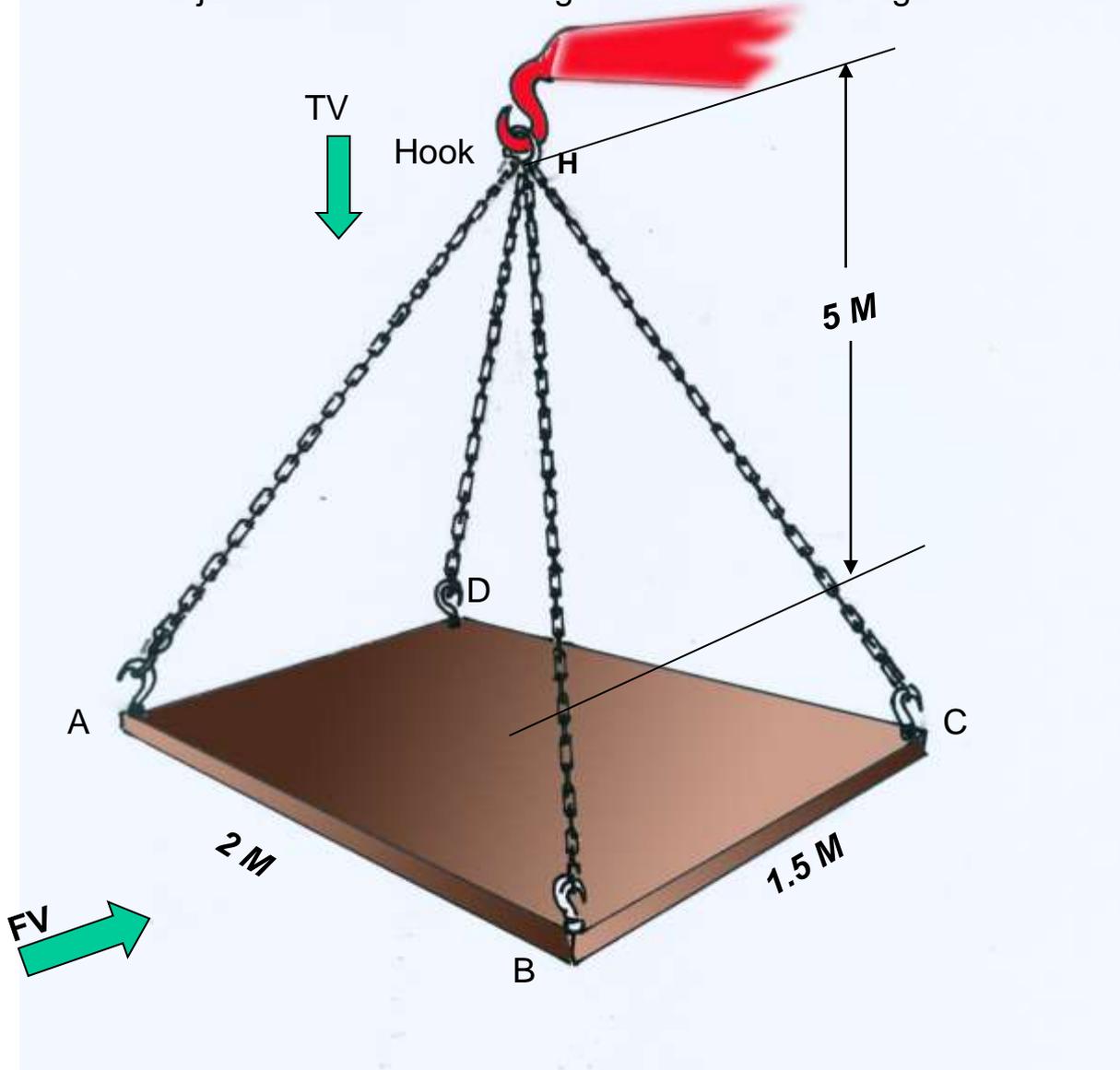
**PROBLEM 19:-** Guy ropes of two poles fixed at 4.5m and 7.5 m above ground, are attached to a corner of a building 15 M high, make 30° and 45° inclinations with ground respectively. The poles are 10 M apart. Determine by drawing their projections, Length of each rope and distance of poles from building.



**PROBLEM 20:-** A tank of 4 M height is to be strengthened by four stay rods from each corner by fixing their other ends to the flooring, at a point 1.2 M and 0.7 M from two adjacent walls respectively, as shown. Determine graphically length and angle of each rod with flooring.



**PROBLEM 21:-** A horizontal wooden platform 2 M long and 1.5 M wide is supported by four chains from its corners and chains are attached to a hook 5 M above the center of the platform. Draw projections of the objects and determine length of each chain along with its inclination with ground.



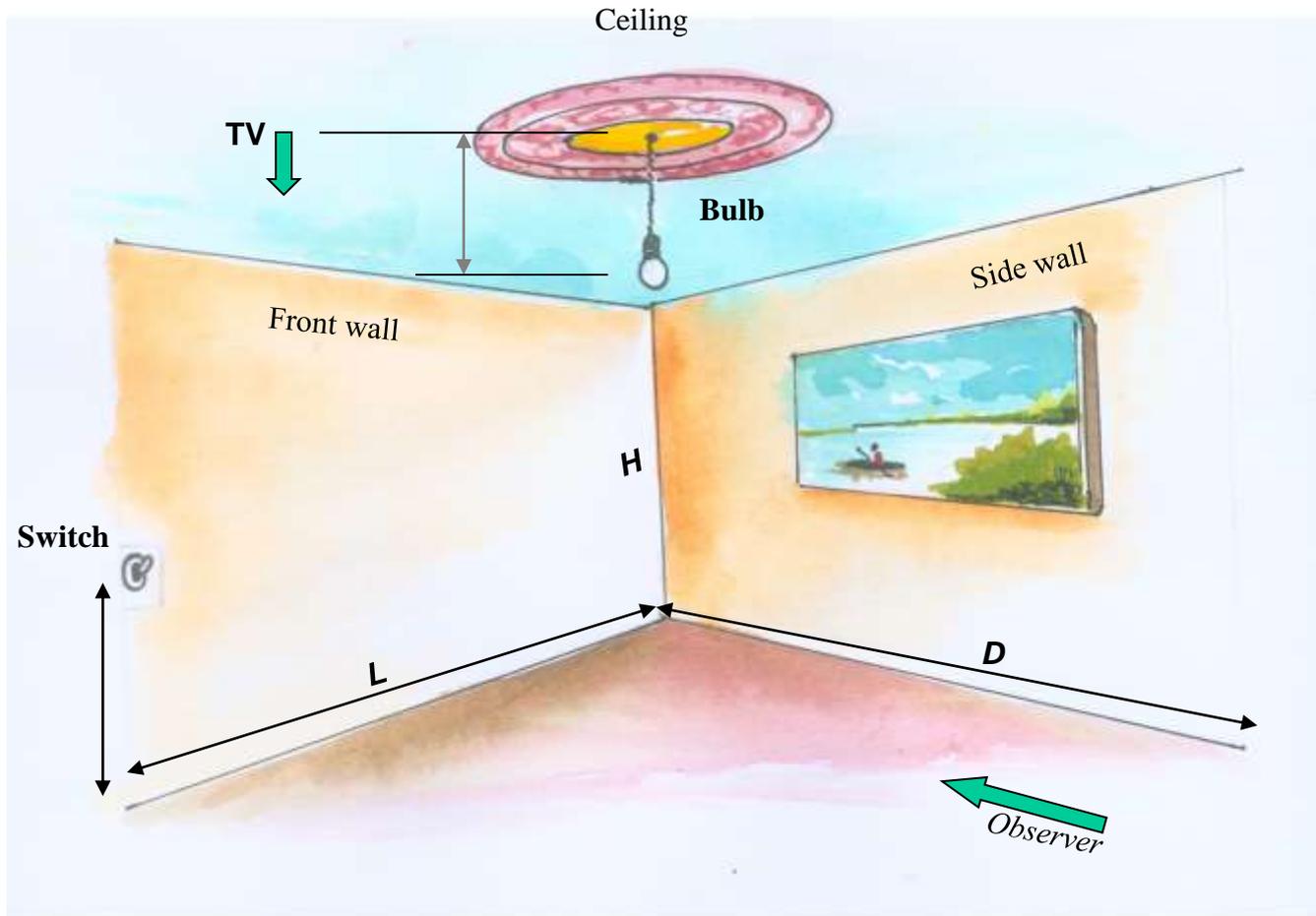
## PROBLEM 22.

A room is of size 6.5m L ,5m D,3.5m high.

An electric bulb hangs 1m below the center of ceiling.

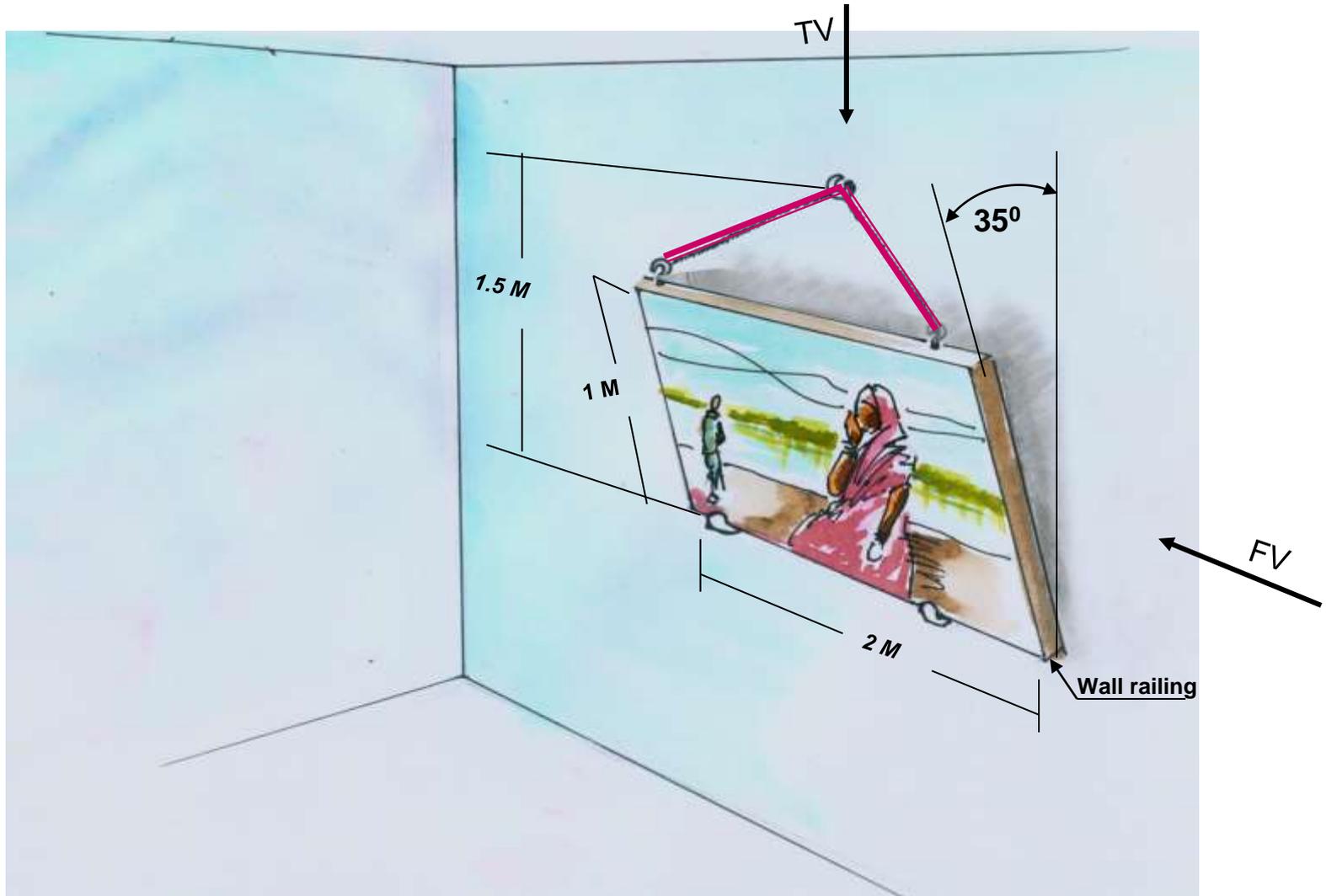
A switch is placed in one of the corners of the room, 1.5m above the flooring.

Draw the projections an determine real distance between the bulb and switch.



### PROBLEM 23:-

A PICTURE FRAME 2 M WIDE AND 1 M TALL IS RESTING ON HORIZONTAL WALL RAILING MAKES  $35^\circ$  INCLINATION WITH WALL. IT IS ATTACHED TO A HOOK IN THE WALL BY TWO STRINGS. THE HOOK IS 1.5 M ABOVE WALL RAILING. DETERMINE LENGTH OF EACH CHAIN AND TRUE ANGLE BETWEEN THEM



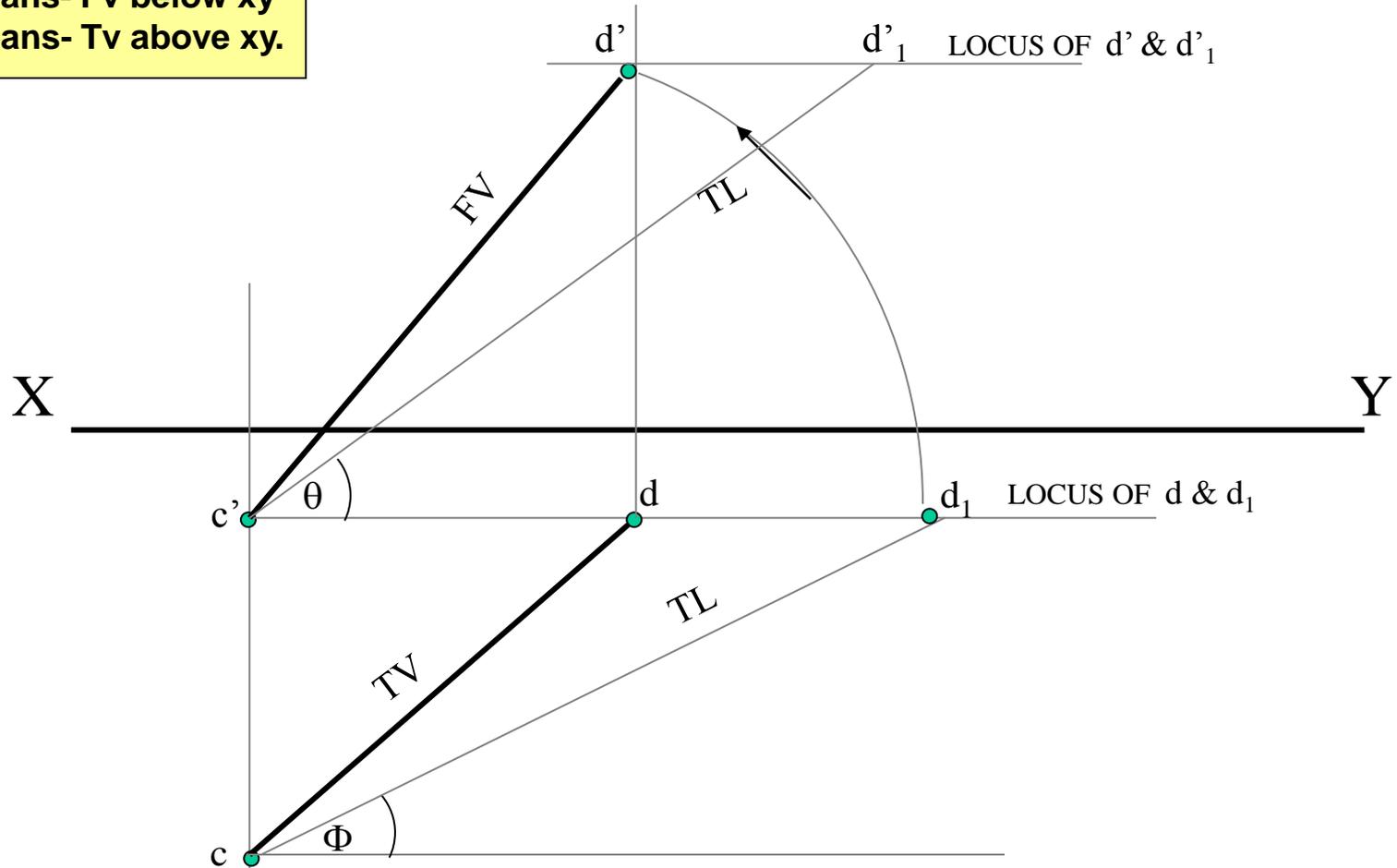
### PROBLEM NO.24

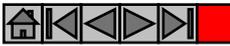
T.V. of a 75 mm long Line CD, measures 50 mm.  
 End C is 15 mm below Hp and 50 mm in front of Vp.  
 End D is 15 mm in front of Vp and it is above Hp.  
 Draw projections of CD and find angles with Hp and Vp.

**SOME CASES OF THE LINE  
 IN DIFFERENT QUADRANTS.**

**REMEMBER:**

**BELOW HP- Means- Fv below xy**  
**BEHIND V p- Means- Tv above xy.**





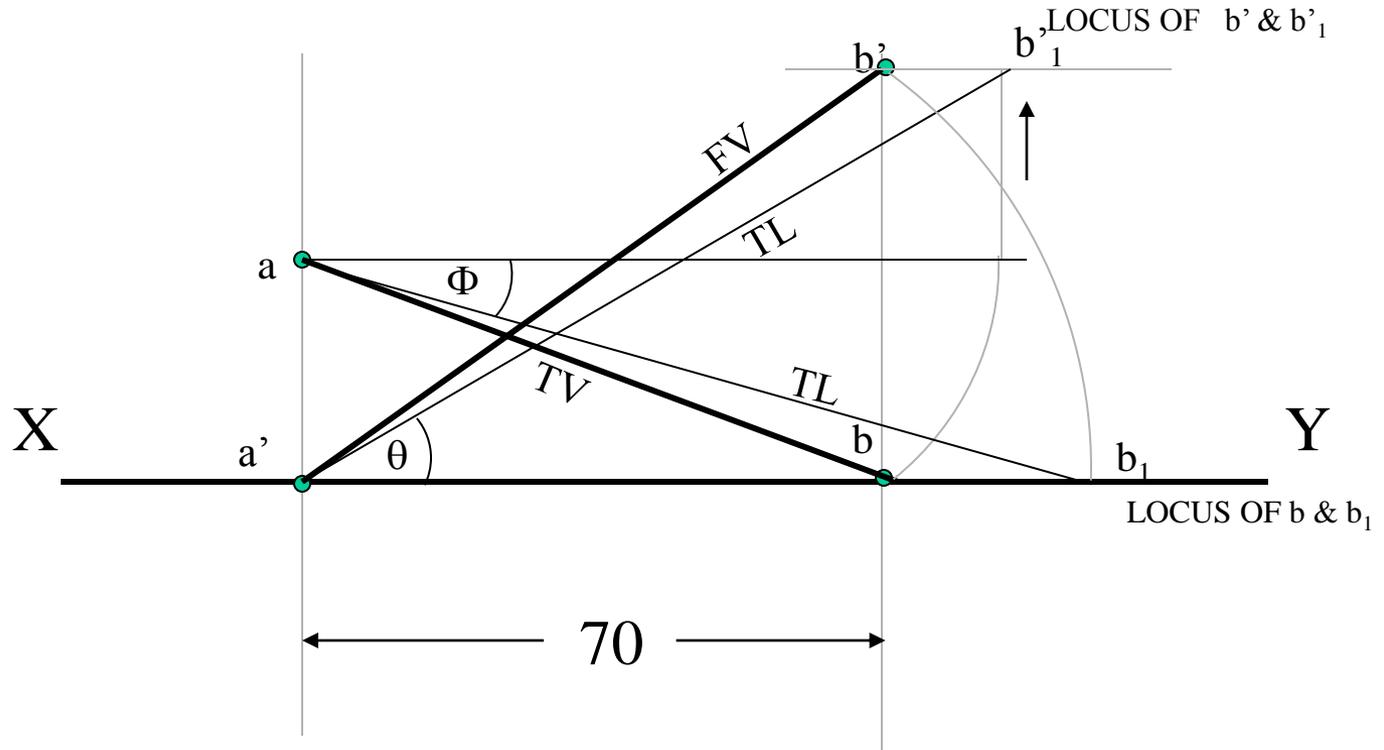
### PROBLEM NO.25

End A of line AB is in Hp and 25 mm behind Vp.

End B in Vp. and 50mm above Hp.

Distance between projectors is 70mm.

Draw projections and find its inclinations with Ht, Vt.





### PROBLEM NO.27

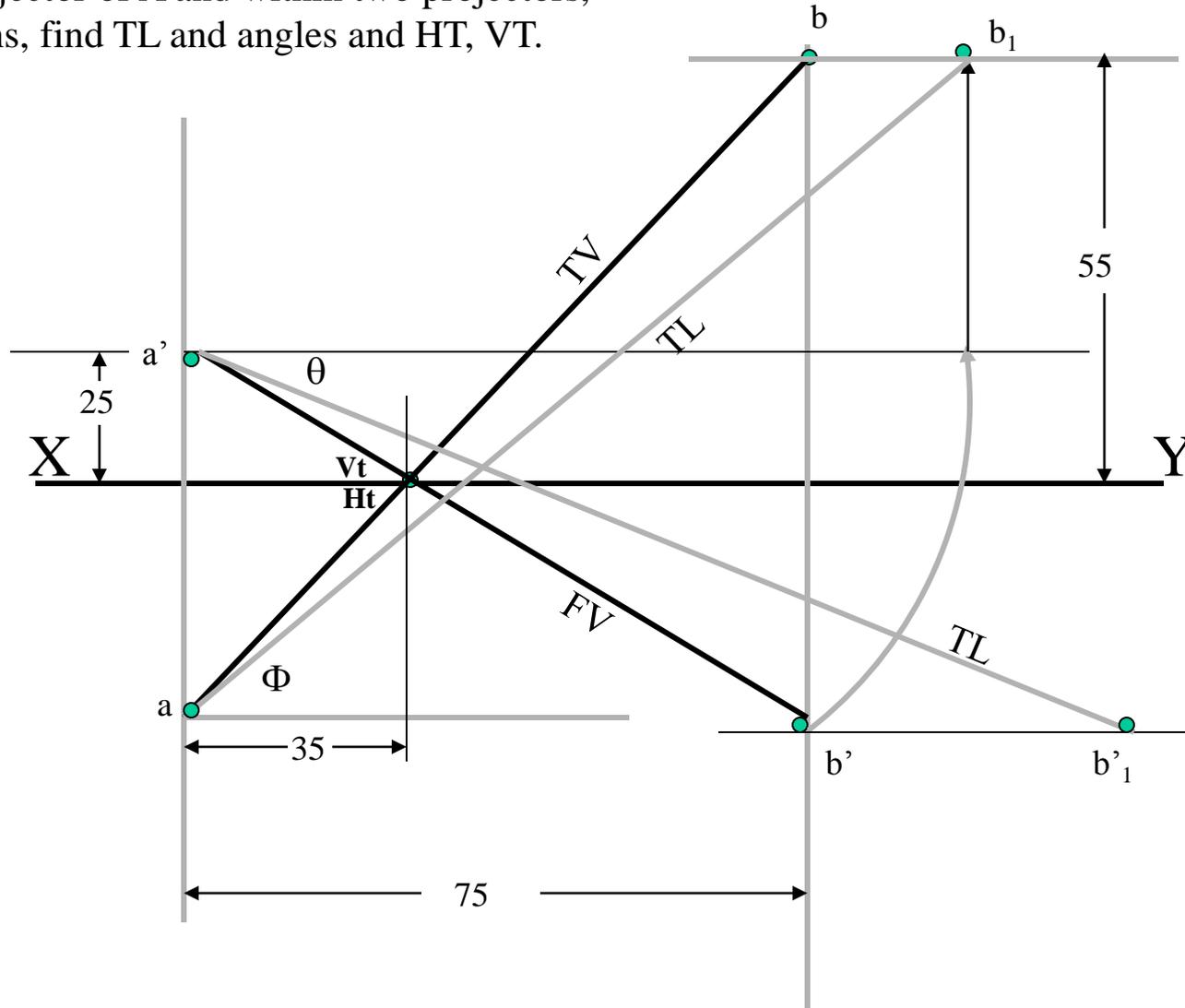
End A of a line AB is 25mm above Hp and end B is 55mm behind Vp.

The distance between end projectors is 75mm.

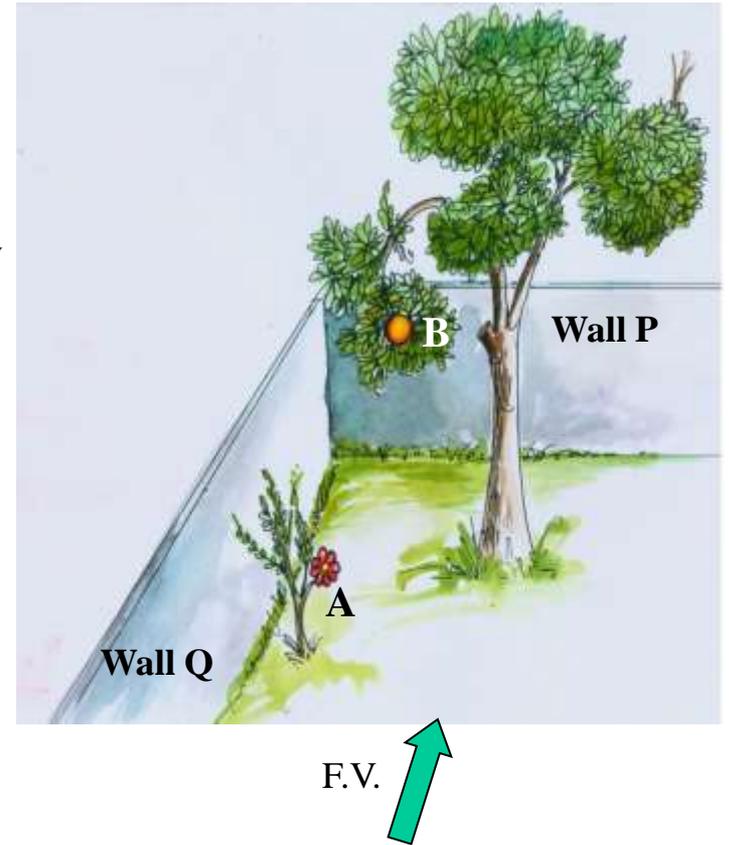
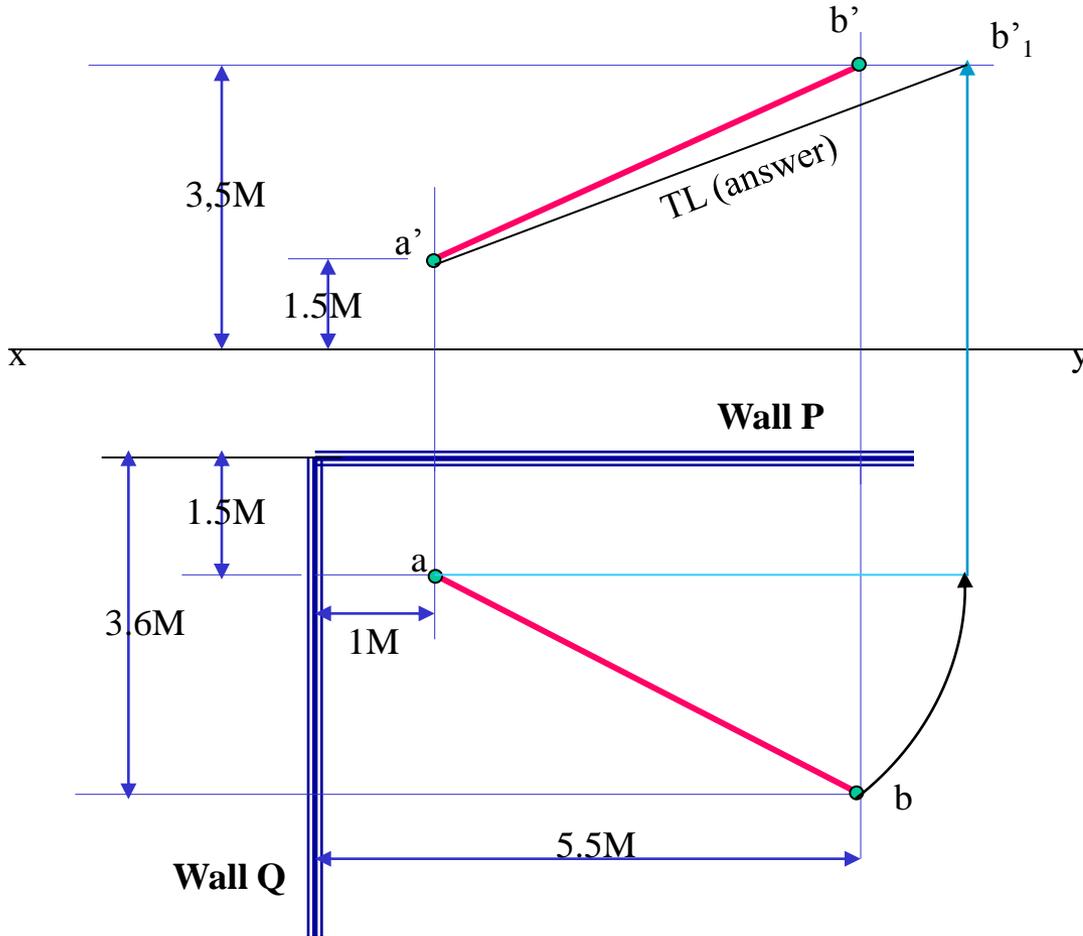
If both it's HT & VT coincide on xy in a point,

35mm from projector of A and within two projectors,

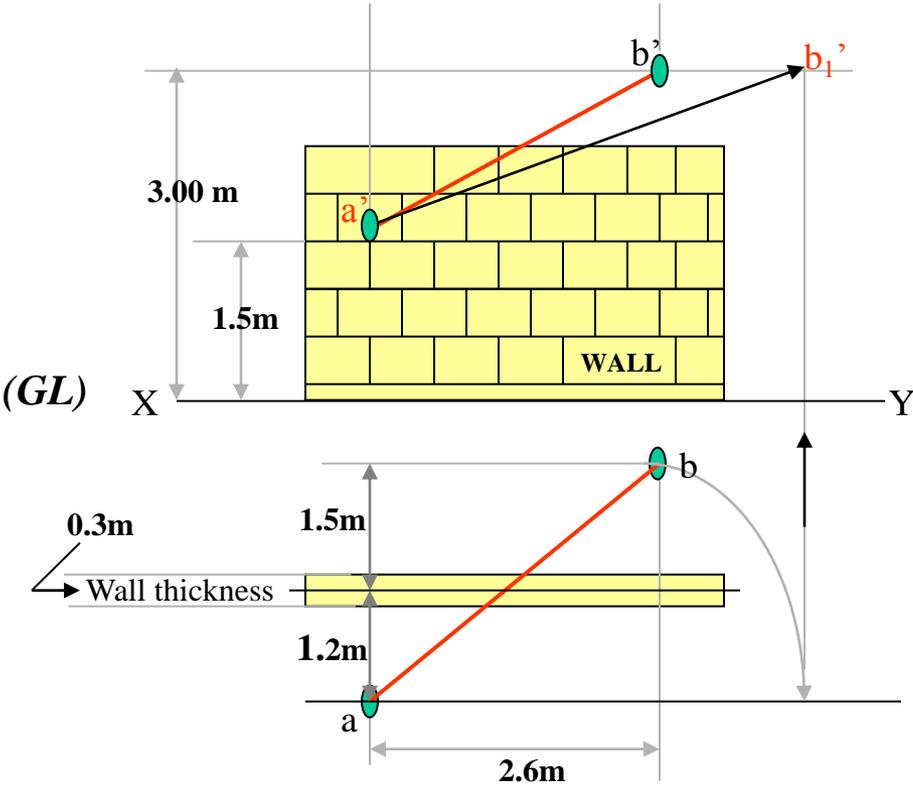
Draw projections, find TL and angles and HT, VT.



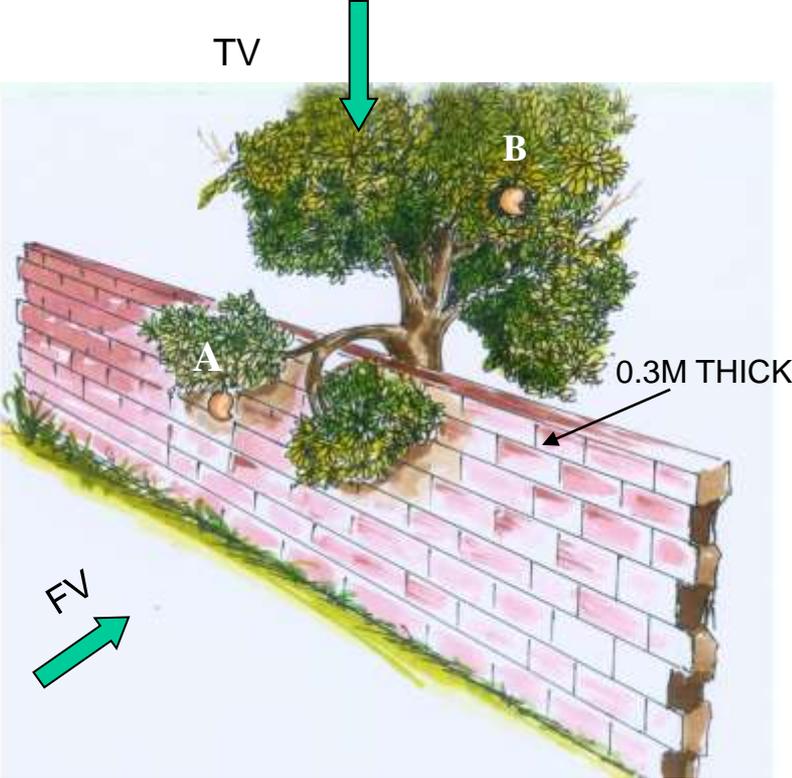
**PROBLEM 14:-**Two objects, a flower (A) and an orange (B) are within a rectangular compound wall, whose P & Q are walls meeting at  $90^\circ$ . Flower A is 1.5M & 1 M from walls P & Q respectively. Orange B is 3.5M & 5.5M from walls P & Q respectively. Drawing projection, find distance between them If flower is 1.5 M and orange is 3.5 M above the ground. Consider suitable scale..



**PROBLEM 15 :-** Two mangos on a tree A & B are 1.5 m and 3.00 m above ground and those are 1.2 m & 1.5 m from a 0.3 m thick wall but on opposite sides of it. If the distance measured between them along the ground and parallel to wall is 2.6 m, Then find real distance between them by drawing their projections.

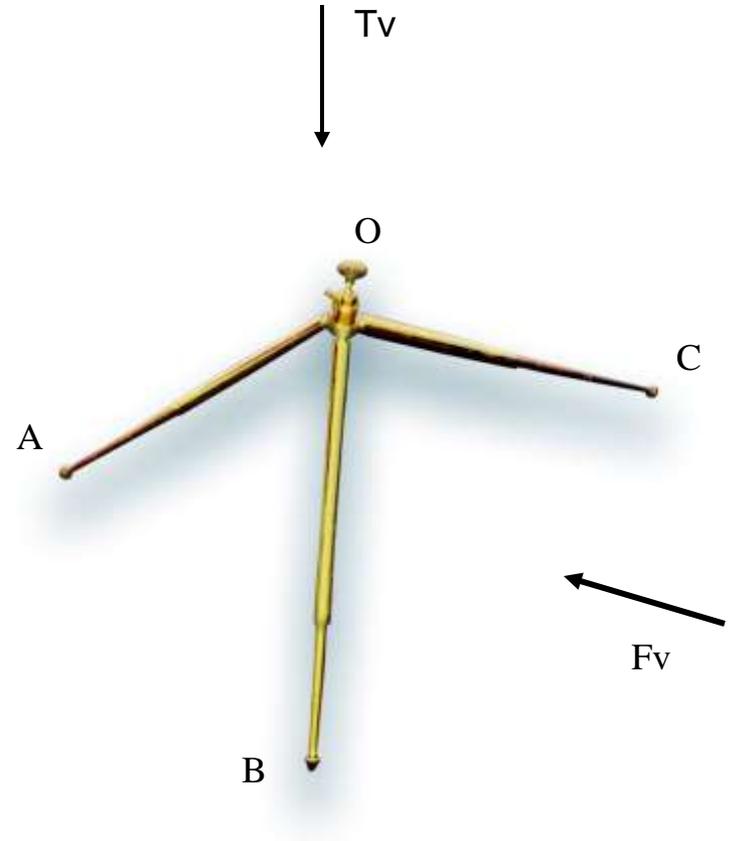
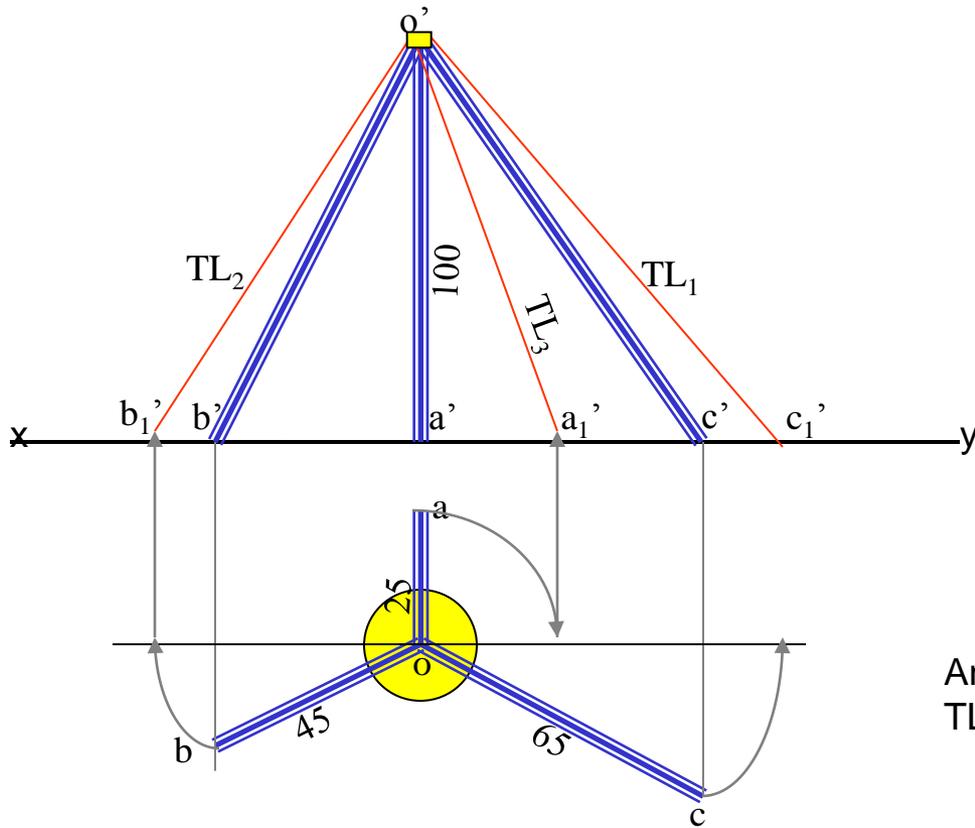


REAL DISTANCE BETWEEN MANGOS A & B IS =  $a'b_1'$



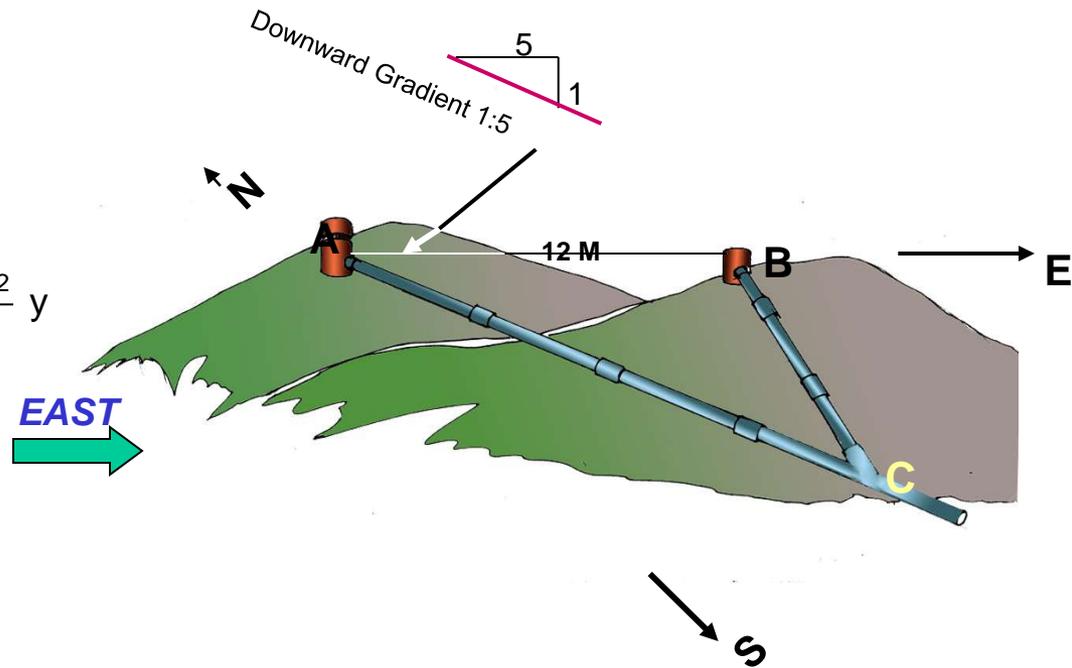
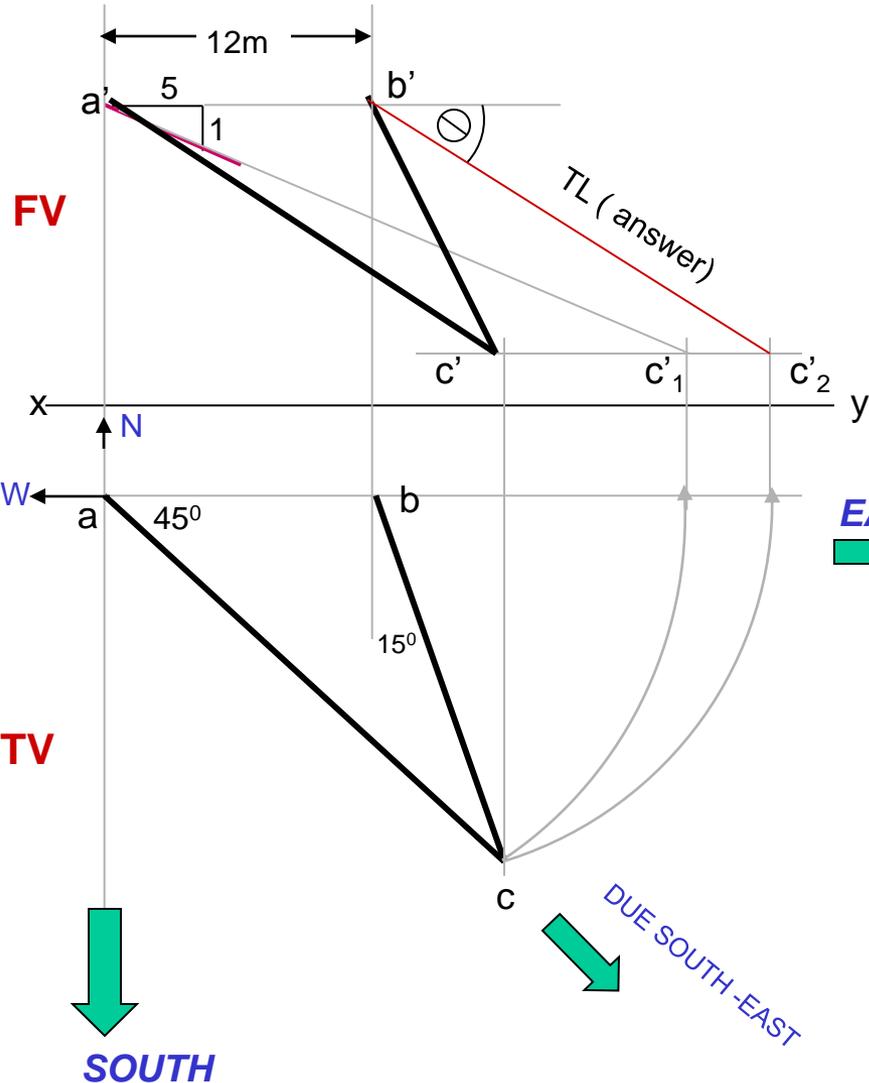
**PROBLEM 16 :-**

oa, ob & oc are three lines, 25mm, 45mm and 65mm long respectively. All equally inclined and the shortest is vertical. This fig. is TV of three rods OA, OB and OC whose ends A, B & C are on ground and end O is 100mm above ground. Draw their projections and find length of each along with their angles with ground.



Answers:  
 $TL_1$   $TL_2$  &  $TL_3$

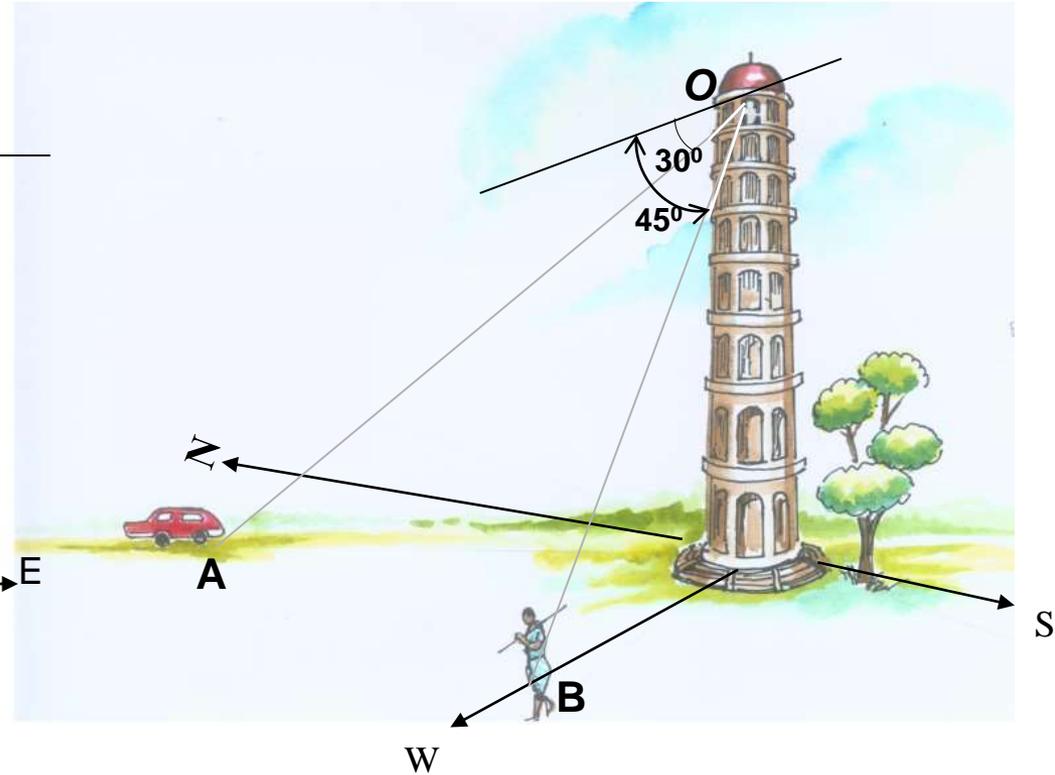
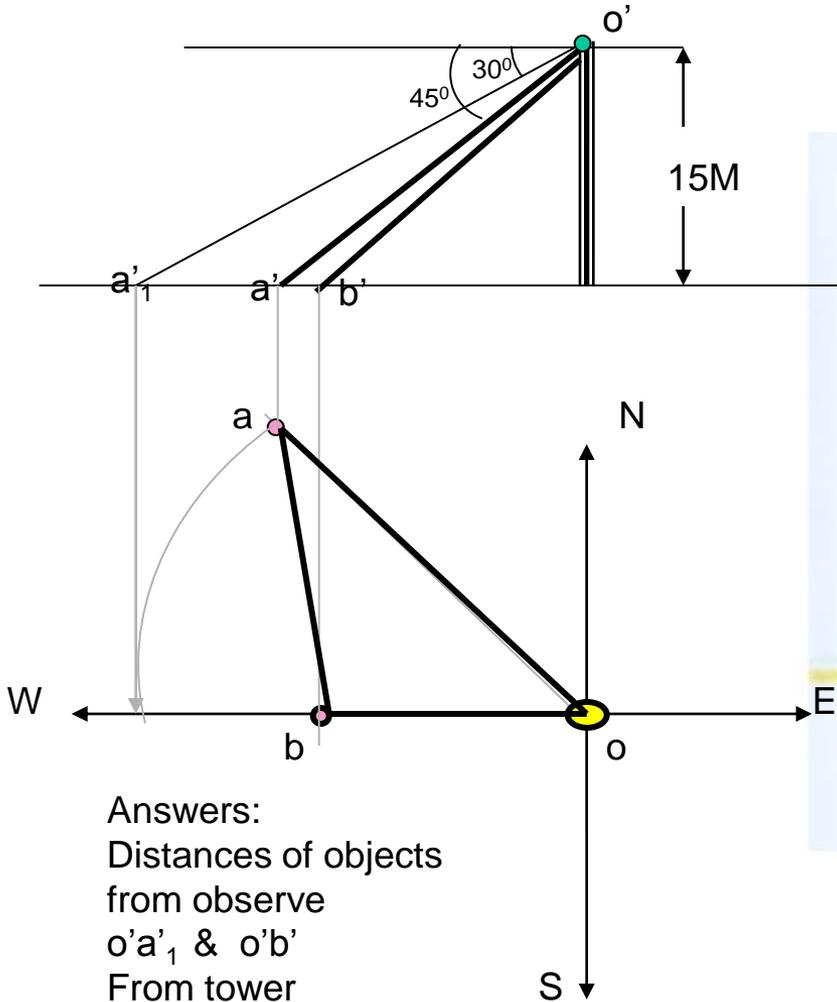
**PROBLEM 17:-** A pipe line from point A has a downward gradient 1:5 and it runs due South - East. Another Point B is 12 M from A and due East of A and in same level of A. Pipe line from B runs  $15^\circ$  Due East of South and meets pipe line from A at point C. Draw projections and find length of pipe line from B and it's inclination with ground.



$$TL \text{ (answer)} = a' c'_2$$

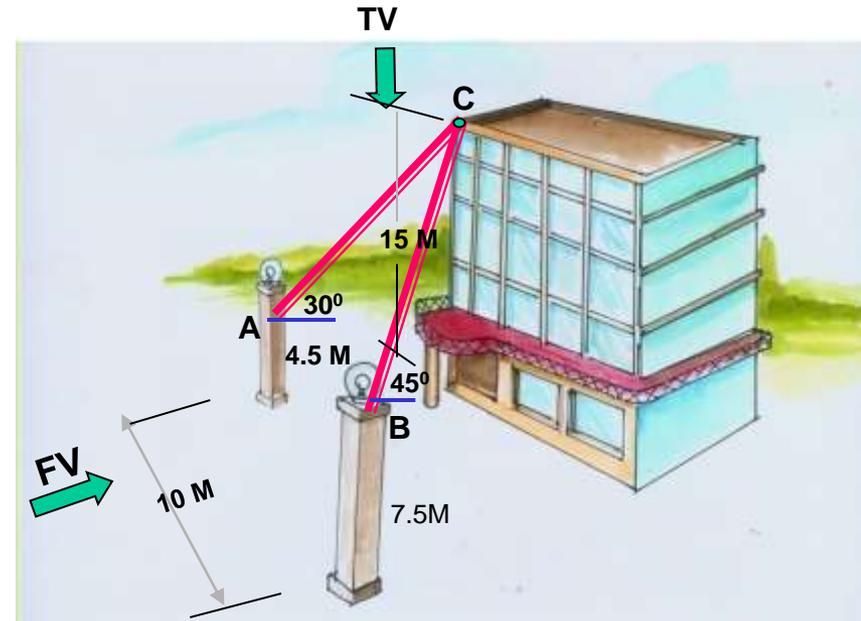
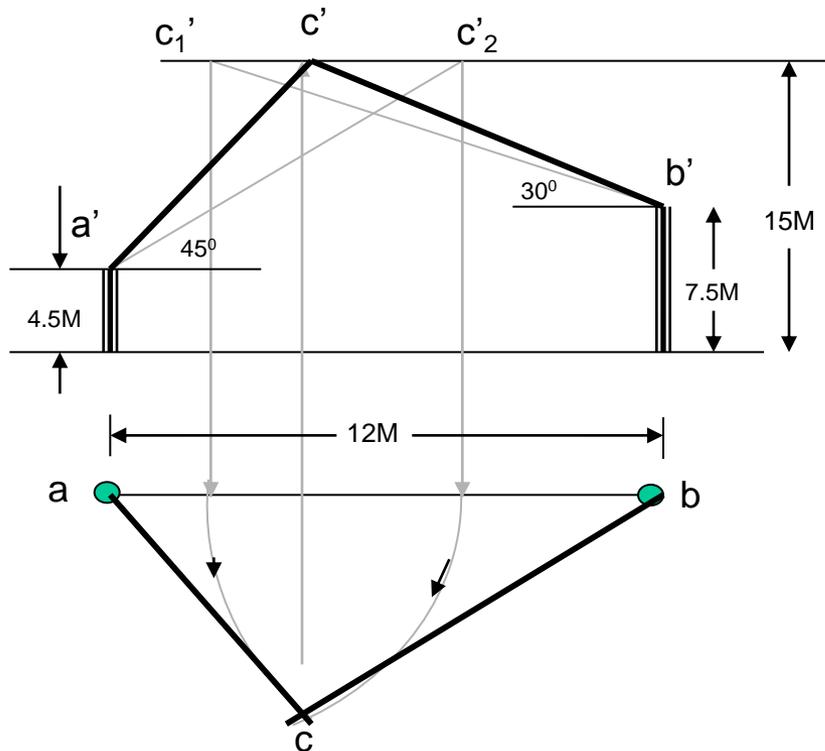
$\ominus$  = Inclination of pipe line BC

**PROBLEM 18:** A person observes two objects, A & B, on the ground, from a tower, 15 M high, At the angles of depression  $30^\circ$  &  $45^\circ$ . Object A is in due North-West direction of observer and object B is due West direction. Draw projections of situation and find distance of objects from observer and from tower also.



Answers:  
 Distances of objects  
 from observe  
 $O'a_1$  &  $O'b'$   
 From tower  
 $oa$  &  $ob$

**PROBLEM 19:-** Guy ropes of two poles fixed at 4.5m and 7.5 m above ground, are attached to a corner of a building 15 M high, make  $30^\circ$  and  $45^\circ$  inclinations with ground respectively. The poles are 10 M apart. Determine by drawing their projections, Length of each rope and distance of poles from building.



**Answers:**

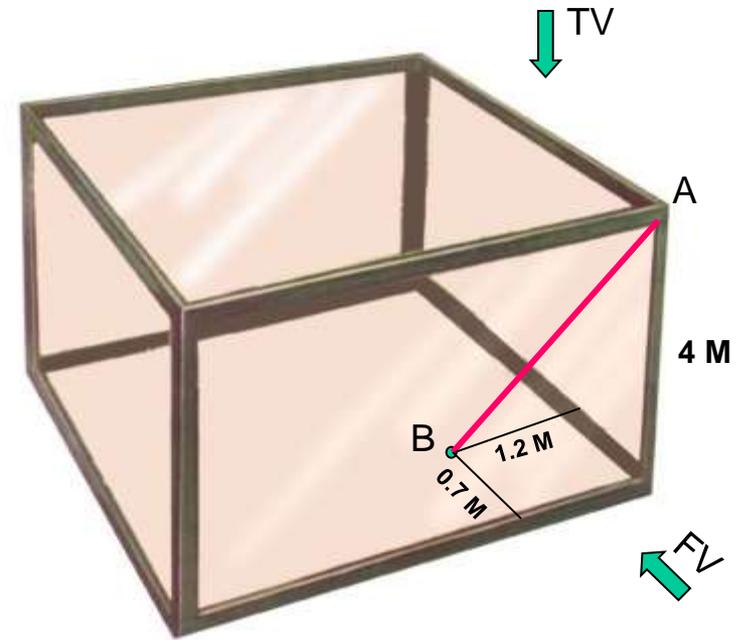
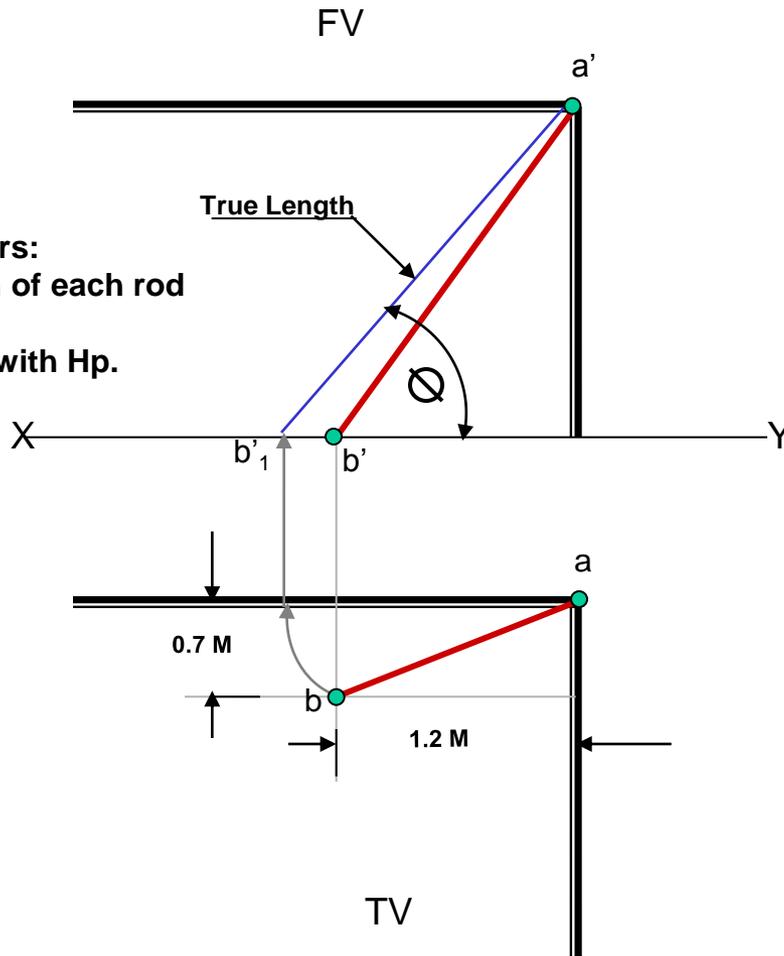
Length of Rope BC =  $b'c'_2$

Length of Rope AC =  $a'c'_1$

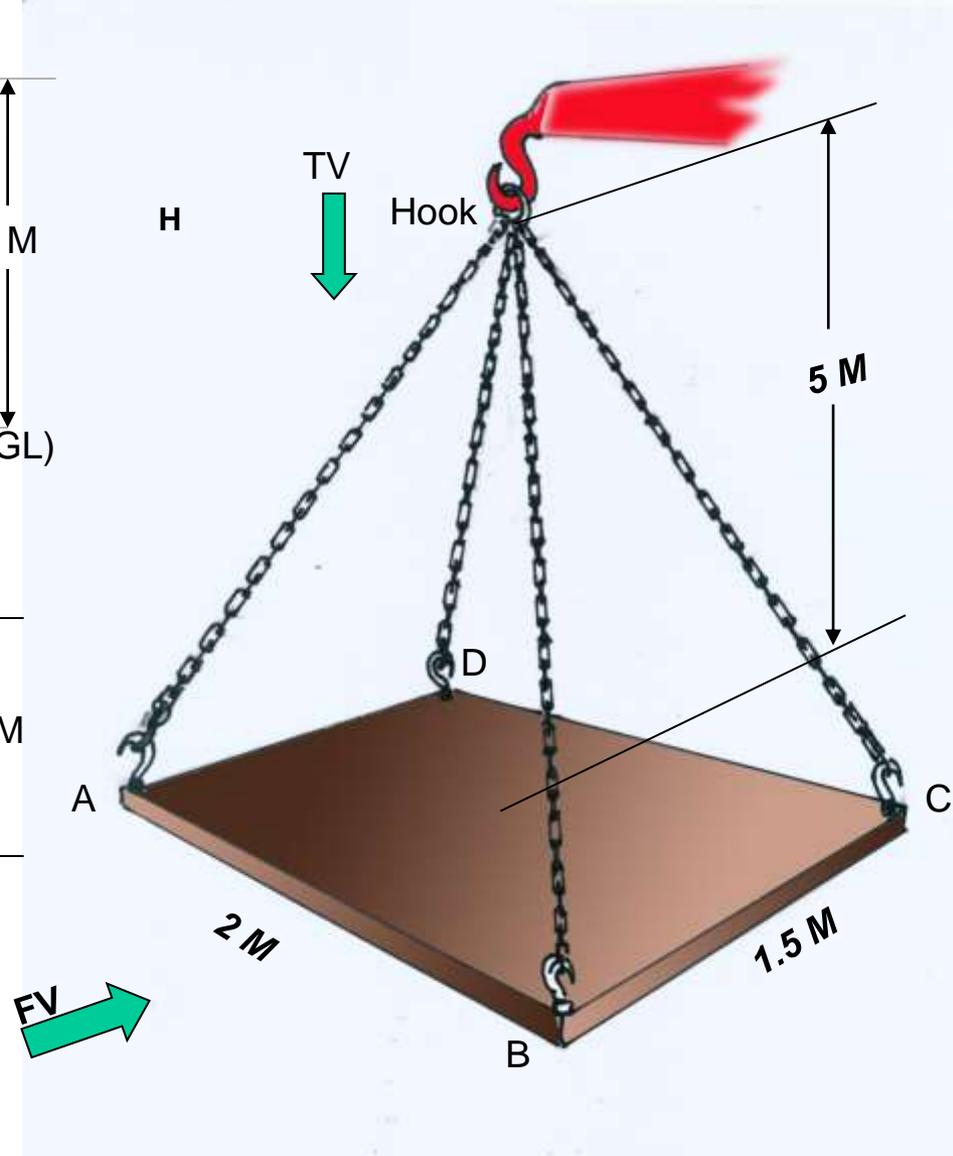
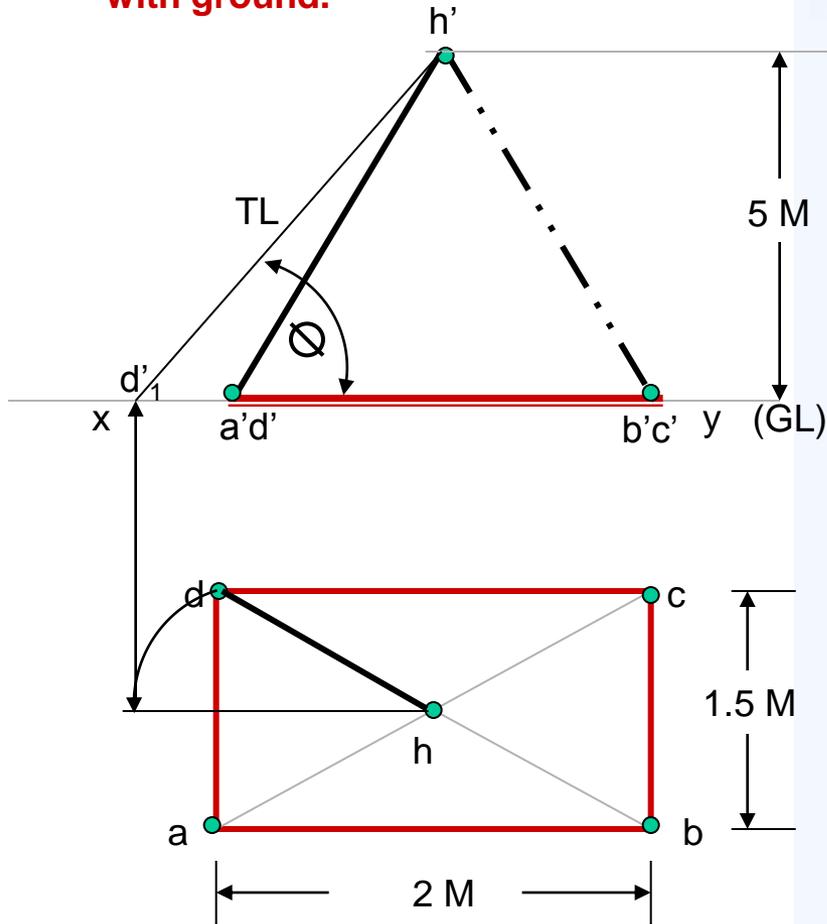
Distances of poles from building =  $ca$  &  $cb$

**PROBLEM 20:-** A tank of 4 M height is to be strengthened by four stay rods from each corner by fixing their other ends to the flooring, at a point 1.2 M and 0.7 M from two adjacent walls respectively, as shown. Determine graphically length and angle of each rod with flooring.

Answers:  
 Length of each rod  
 =  $a'b'_1$   
 Angle with Hp.  
 =  $\theta$



**PROBLEM 21:-** A horizontal wooden platform 2 M long and 1.5 M wide is supported by four chains from its corners and chains are attached to a hook 5 M above the center of the platform. Draw projections of the object and determine length of each chain along with its inclination with ground.



**Answers:**  
 Length of each chain  
 =  $a'd'_1$   
 Angle with Hp.  
 =  $Q$

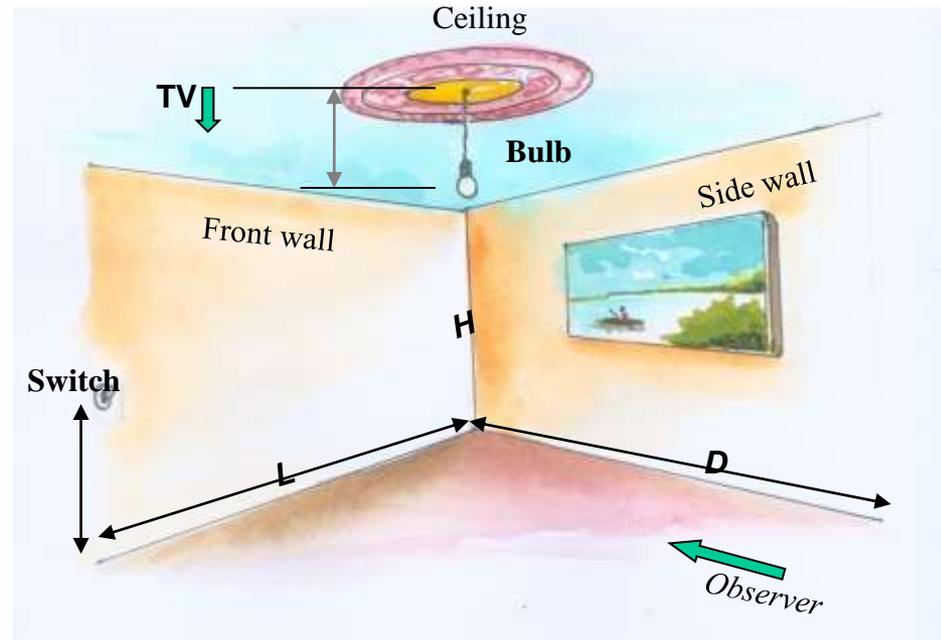
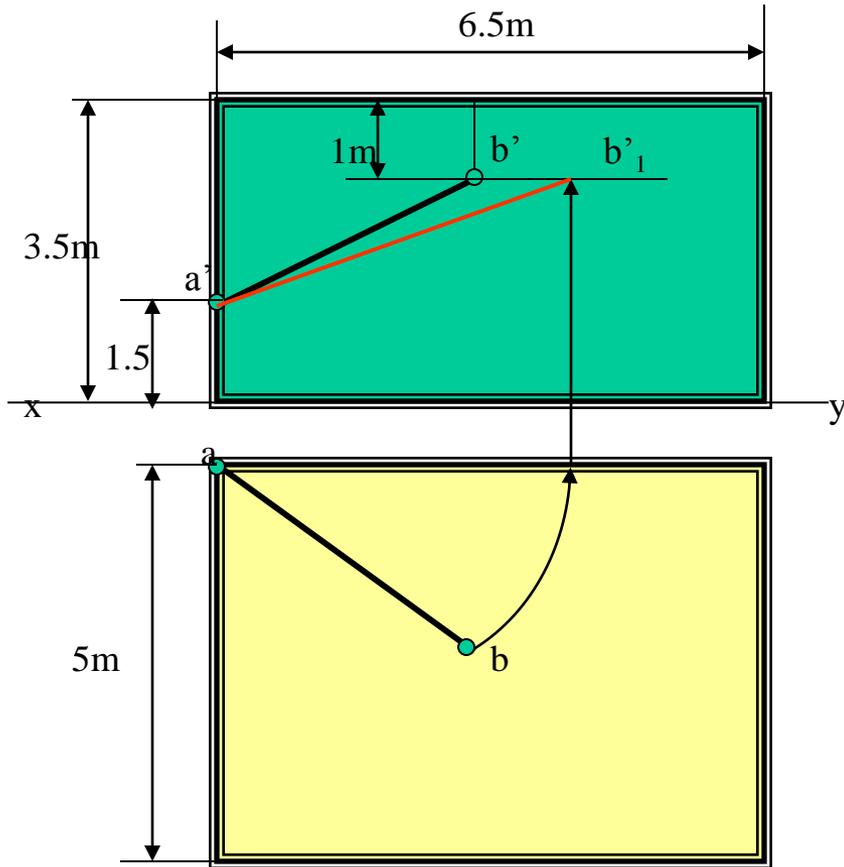
### PROBLEM 22.

A room is of size 6.5m L ,5m D,3.5m high.

An electric bulb hangs 1m below the center of ceiling.

A switch is placed in one of the corners of the room, 1.5m above the flooring.

Draw the projections an determine real distance between the bulb and switch.



B- Bulb

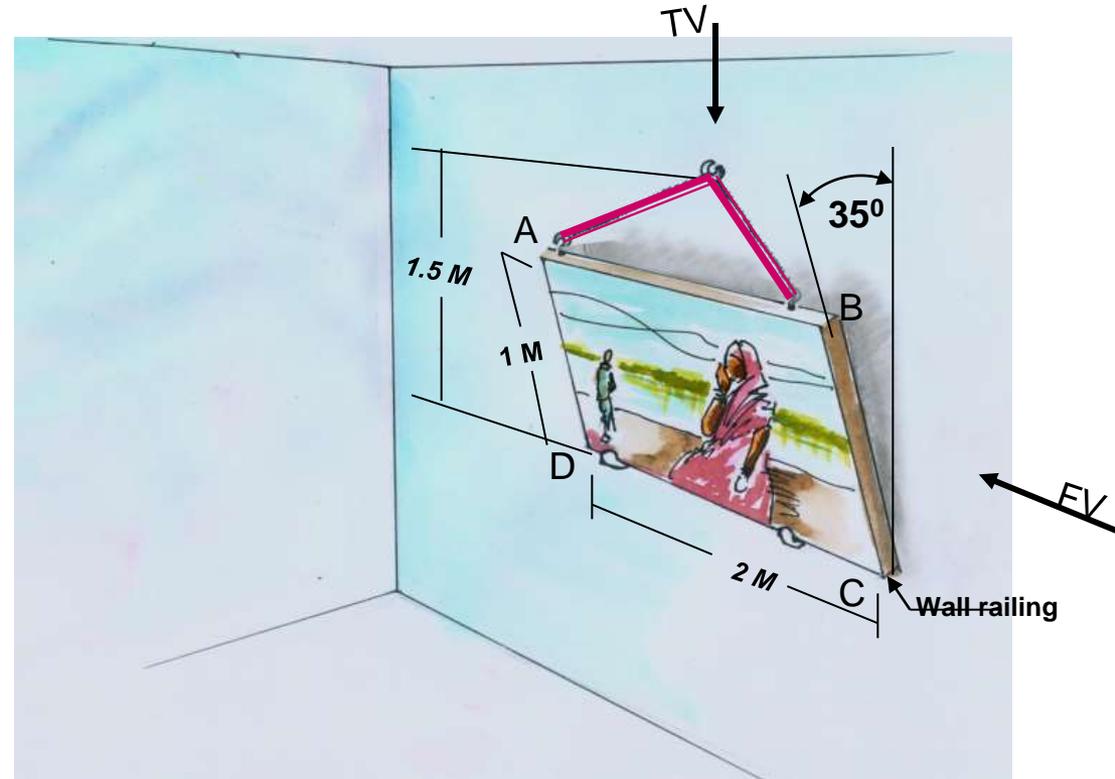
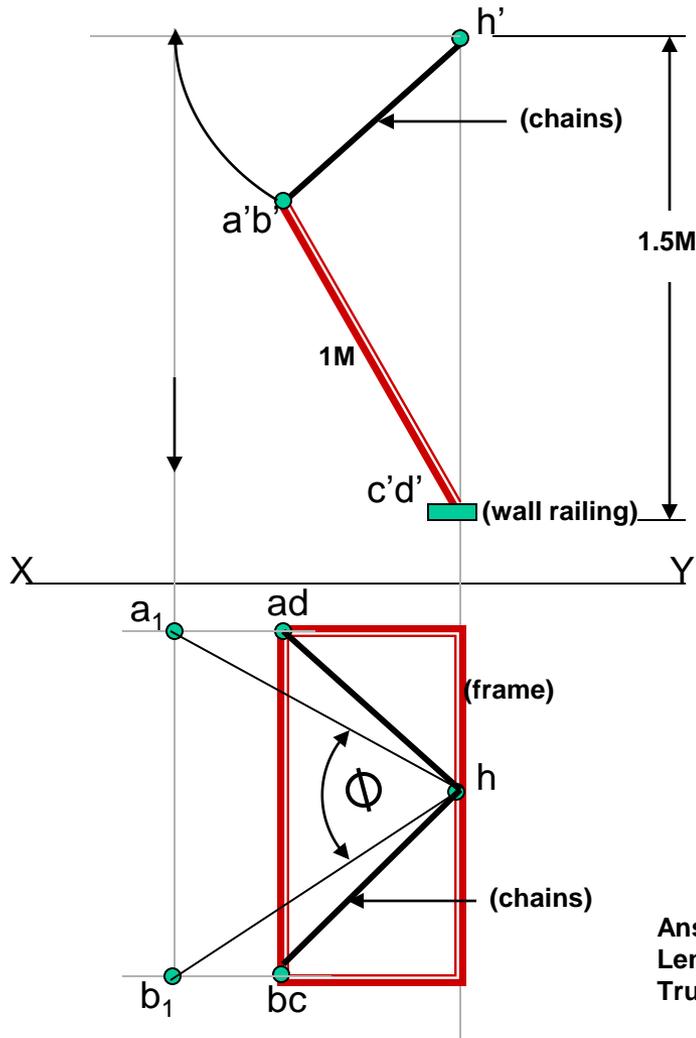
A-Switch

Answer :-  $a'b'1$



### PROBLEM 23:-

A PICTURE FRAME 2 M WIDE AND 1 M TALL IS RESTING ON HORIZONTAL WALL RAILING MAKES  $35^\circ$  INCLINATION WITH WALL. IT IS ATTACHED TO A HOOK IN THE WALL BY TWO STRINGS. THE HOOK IS 1.5 M ABOVE WALL RAILING. DETERMINE LENGTH OF EACH CHAIN AND TRUE ANGLE BETWEEN THEM



Answers:  
Length of each chain =  $hb_1$   
True angle between chains =  $\Phi$